

Decision fusion for the classification of hyperspectral data: Outcome of the 2008 GRS-S Data Fusion Contest

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Abstract—The 2008 Data Fusion Contest that was organized by the IEEE Geoscience and Remote Sensing Data Fusion Technical Committee was dealing with the classification of high resolution hyperspectral data from an urban area. Unlike in previous issues of the contest, the goal was not only to identify the best algorithm, but also to provide a collaborative effort: the decision fusion of the best individual algorithms was aiming at further improving the classification performances and the best algorithms were ranked according to their relative contribution to the decision fusion. This paper presents the five awarded algorithms and the conclusions of the contest, stressing the importance of decision fusion, of dimension reduction and of supervised classification methods, such as the Neural Networks and the Support Vector Machines.

Index Terms—decision fusion, classification, hyperspectral imagery

I. INTRODUCTION

The Data Fusion Contest has been organized by the Data Fusion Technical Committee (DFTC) of the IEEE Geoscience and Remote Sensing Society (GRS-S) and has been annually proposed since 2006. It is a contest open not only to DFTC members, but to everyone. The aim of the Data Fusion Contest is to evaluate existing methodologies at the research or operational level to solve remote sensing problems using data from different sensors. The main aim of this contest is to provide a benchmark to the researchers interested in a class of data fusion problems, starting with a contest and then allowing the data and results to be used as reference for the widest community, inside and outside the DFTC. The first issue of the contest was devoted to pansharpening [1]. In 2007, the contest was related to urban mapping using radar and optical data [2].

In 2008, the contest was dedicated to the classification of very high resolution hyperspectral data. A hyperspectral data

set was distributed to every participant and the task was to obtain a classified map as accurate as possible with respect to the ground truth data, depicting land cover and land use classes. The ground-truth was kept secret, but training pixels could be selected by the participants by photointerpretation in order to apply supervised methods. The data set consisted of an airborne data from the ROSIS-03 (Reflective Optics System Imaging Spectrometer) optical sensor. The flight over the city of Pavia, Italy, was operated by the Deutschen Zentrum für Luft- und Raumfahrt (DLR, the German Aerospace Agency) in the framework of the HySens project, managed and sponsored by the European Union. According to specifications, the number of bands of the ROSIS-03 sensor is 115 with a spectral coverage ranging from 0.43 to 0.86 μ m. 13 noisy bands have been removed. The dimension of the distributed data set is hence 102. The spatial resolution is 1.3m per pixel. For the contest, five classes of interest were considered, namely: buildings, roads, shadows, vegetation and water. Everyone could enter the contest and download the data set. After classification, the participant could upload the resulting map for an automatic evaluation of the classification performances (confusion matrix and average accuracy). The participating teams were allowed to upload as many different results as they wished.

At any given time, the five best maps were combined using majority voting and re-ranked according to their respective contribution to the fused result. The best seven individual algorithms were listed in real time on the data fusion contest website (<http://tlclab.unipv.it/dftc/home.do>), together with the result of the fusion. Please note that the website is still open and everyone can use it as a benchmark to test any new algorithm.

The contest was open for three months. At the end of the contest, 21 teams had uploaded over 2,100 classification maps!

A closer look reveals that one single team actually submitted over 1,200 results (but we should underline that it did not rank in the top five teams), while the other 1,000 entries are spread over the remaining twenty teams. The five best individual classification maps have been fused together. The final corresponding teams have been awarded with an IEEE Certificate of Recognition during the Chapters and Technical Committees Dinner at the IEEE International Geoscience and Remote sensing Symposium (IEEE IGARSS'08) in Boston, in July 2008.

The remainder of the paper is organized as follows. First the best five algorithms are detailed:

- Section II presents the work by Giorgio Licciardi and Fabio Pacifici. They use different standard classifiers (three neural networks and two maximum likelihood classifiers) and perform a majority voting between the different outputs.
- Section III presents the work by Devis Tuia and Frederic Ratle. They use both spectral and spatial features. The spectral features are a 6-PCA extraction of the initial pixel's vector value. The spatial information is extracted using morphological operators. These features are classified by combining several Support Vector Machines (SVM) using majority voting.
- Section IV presents the work by Saurabh Prasad and Terrance West¹. They use a wavelet based preprocessing of the initial spectra followed by a Linear Discriminant Analysis and a Maximum Likelihood classifier.
- Section V presents the work by Ferdinando Giacco and Christian Thiel. They use a Principal Component Analysis (PCA) to reduce the dimension of the data. Spatial information is taken into account with some textural features. The classification is achieved using SVM one versus one classifiers and a spatial regularization is performed on the classification map to eliminate isolated pixels.
- Section VI presents the work by Jordi Inglada and Emmanuel Christophe. They perform a Bayesian fusion of different classifiers (such as SVM classifiers). The weight assigned to each classifier is determined by the quantitative results it obtained. All these algorithms are available with the ORFEO Toolbox, an open source library of image processing algorithms for remote sensing applications (<http://otb.cnes.fr/>).

Finally, the decision fusion is considered in Section VII, and the conclusions and perspectives drawn by this contest are presented and discussed in Section VIII.

II. MAJORITY VOTING BETWEEN NEURAL NETWORK AND MAXIMUM LIKELIHOOD CLASSIFIERS

A. Reduction of the data dimensionality

The analysis of hyperspectral imagery usually implicates the reduction of the data set dimensionality to decrease the complexity of the classifier and the computational time required

with the aim of preserving most of the relevant information of the original data according to some optimal or sub-optimal criteria, [3][4]. The pre-processing procedure exploited in this section divides the hyperspectral signatures into adjacent regions of the spectrum and approximates their values by piecewise constant functions. In [5], the authors reduced effectively the input space using averages of contiguous spectral bands applying piecewise constant functions instead of higher order polynomials. This simple representation has shown to outperform most of the feature reduction methods proposed in the literature, such as principal components transform, sequential forward selection or decision boundary feature extraction [6].

Assume S_{ij} to be the value of the i th pixel in the j th band, with a total of N pixels. The spectral signatures of each class extracted from ground truth pixels have been partitioned into a fixed number of contiguous intervals with constant intensities minimizing the mean square error:

$$H = \sum_{k=1}^K \sum_{i=1}^N \sum_{j \in I_k} (S_{ij} - \mu_{ik})^2 \quad (1)$$

where a set of K breakpoints defines continuous intervals I_k , while μ_{ik} represents the mean value of each pixels interval between breakpoints. A number of $K = 7$ breakpoints was found to be a reasonable compromise between model complexity and computational time and the resulting partitions are reported in Tab. I.

B. Classification Phase

In the literature, neural networks (NNs) and support vector machines have been widely used since they do not require any specific probabilistic assumptions of the class distribution, in opposition to parametric classifiers, such as Maximum Likelihood (ML). The classifier scheme exploited here is a combination of single decision maps. In [7], it has been demonstrated that combining the decisions of independent classifiers can lead to better classification accuracies. The combination can be implemented using a variety of strategies, among which majority voting (MV) is the simplest, and it has been found to be as effective as more complicated schemes [8] [9].

Majority voting was used here on five independent maps resulting from two different methods, i.e. three neural networks and two ML classifiers. For each method, the input space was composed by the seven features obtained reducing the sensor bands, while the outputs were the five classes of interest. For training the supervised classifiers, we have defined three different training sets varying the number of samples, as reported in Tab. II. In the following, we briefly recall the classification methods and the setting used.

1) *Neural Networks*: the topology of a multilayer perceptron network [10] has been determined through an optimization of the number of hidden layers and units, based on the results reported in the literature, on previous experiences and on a specific numerical analysis [11]. Two hidden layers has been found to be a suitable choice, while the number of

¹The authors would like to acknowledge the active participation of Jeff Brantley, Jacob Bowen and Matthew Lee to this work. They are all with the Mississippi State University.

TABLE I
RESULTING SUB-BANDS

| | Sensor bands | | Wavelength (μm) | |
|----|--------------|----|------------------------------|-----|
| | from | to | from | to |
| B1 | 1 | 15 | 430 | 486 |
| B2 | 16 | 35 | 490 | 566 |
| B3 | 36 | 65 | 570 | 686 |
| B4 | 66 | 75 | 690 | 726 |
| B5 | 78 | 82 | 730 | 766 |
| B6 | 86 | 90 | 770 | 786 |
| B7 | 91 | 95 | 790 | 834 |

TABLE II
TRAINING SAMPLES USED FOR THE SUPERVISED CLASSIFIERS

| | Buildings | Roads | Shadows | Vegetation | Water |
|-------|-----------|--------|---------|------------|--------|
| Set 1 | 132,369 | 18,914 | 20,356 | 53,065 | 43,104 |
| Set 2 | 33,168 | 6,525 | 3,260 | 14,323 | 26,816 |
| Set 3 | 45,268 | 5,210 | 1,524 | 17,485 | 20,367 |

TABLE III
TRAINING SET CLASSIFICATION ACCURACIES FOR NN, ML AND MV

| | NN 1 (set 1) | NN 2 (set 2) | NN 3 (set 3) | ML 1 (set 1) | ML 2 (set 2) | MV |
|----------|-----------------|-----------------|-----------------|-----------------|-----------------|-------|
| Acc. (%) | 95.6 | 95.4 | 95.1 | 95.0 | 94.9 | 96.3 |
| K-coef. | 0.936 | 0.932 | 0.929 | 0.927 | 0.925 | 0.946 |

hidden neurons was found using a growing method, progressively increasing the number of elements. The variance of the classification accuracy for different initializations of the weights was computed to monitor the stability of the topology. The configuration 7-25-25-5 maximized the accuracy and minimized the instability of the results. Successively, three independent NNs were trained with sets 1, 2 and 3 (see Tab. II), providing three different maps.

2) *Maximum Likelihood*: ML is a well known parametric classifier, which relies on the second-order statistics of a Gaussian probability density function for the distribution of the feature vector of each class. ML is often used as a reference for classifier comparisons because it represents an optimal classifier in the case of normally distributed class probability density functions [12]. ML classification was performed using sets 1 and 2 (see Tab. II), providing two different maps.

The results from the five classification maps were combined using majority voting to obtain the final map. The algorithm of majority voting was implemented following two simple rules:

- a class is the winner if it is recognized by the majority of the classifiers
- in case of a balance voting, the winner class is the one with the highest Kappa (K) coefficient

The improvement derived from majority voting is reported in Tab. III where the K-coefficients (based on training sets) obtained from five classifications are compared with the one of the final result.

Table IV presents the corresponding final confusion matrix. The score is 0.9884.

III. MORPHOLOGICAL FEATURES AND SVM CLASSIFIER

The proposed method uses both spectral and spatial information to train a SVM classifier. A brief description of the

| Class | 1 | 2 | 3 | 4 | 5 |
|---------|--------|--------|--------|--------|-------|
| 99.65% | 213359 | 391 | 155 | 203 | 0 |
| 97.05% | 246 | 10430 | 0 | 71 | 0 |
| 98.95% | 143 | 27 | 16245 | 2 | 0 |
| 99.97% | 2 | 5 | 1 | 24480 | 0 |
| 100.00% | 0 | 0 | 0 | 0 | 10961 |
| | 99.82% | 96.10% | 99.05% | 98.89% | 100% |

TABLE IV
CONFUSION MATRIX, TRUE CLASSES GIVEN BY ROWS.

input features and of the classifier exploited are discussed in this paragraph.

A. Spectral and spatial features

The Principal Component Analysis was used to extract spectral information from the original image. Specifically, the six first principal components have been retained for the analysis, as shown from the components composition in Fig. 1b. These features count for 99.9% of the variance contained in the original hyperspectral bands.



Fig. 1. (a) The first principal component. (b) The six principal components retained.

Morphological operators ([13], [14]) have been added to include information about spatial neighborhood of the pixels. Mathematical morphology is a collection of filters called operators based on set theory. Morphological operators have been used in remote sensing to extract information about shape and structure of the objects in both optical [15], [16] and, more recently, hyperspectral imagery [17], [18], [19].

An operator is applied using two ensembles: the first is the image to filter g , and the second is a set of known size and shape called the structuring element B . In our setting, and as suggested in [17], [18], the first principal component (shown in Fig. 1a) has been used for the extraction of the morphological

features. Specifically, top hat features have been considered. These features are constructed using the three-stages filtering described below:

1) *erosion and dilation*: for a given pixel on the input image g , the erosion $\epsilon_B(g)$ is the pointwise minimum \wedge between all the values of g defined by B when centered on the pixel considered. On the contrary, dilation $\delta_B(g)$ is the pointwise maximum \vee between these same values.

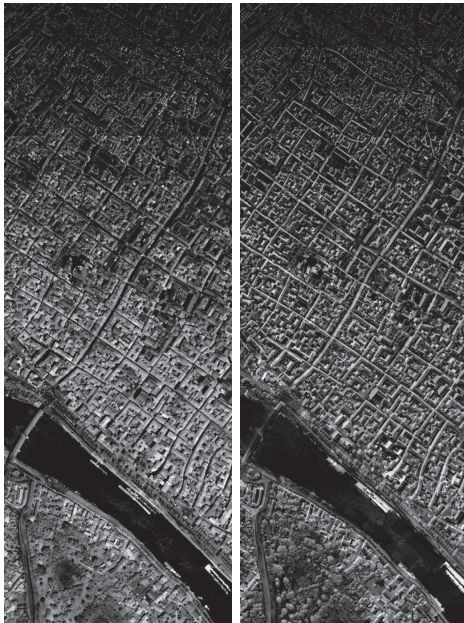
2) *opening and closing*: opening $\gamma_B(g)$ is the dilation of an eroded image and is widely used to isolate brighter (compared to surrounding features) structures in gray-scale images. On the contrary, closing $\phi_B(g)$ is the erosion of a dilated image and allows to isolate darker structures [20]. The formulation of opening and closing operators is given by:

$$\gamma_B(g) = \delta_B[\epsilon_B(g)] \quad \phi_B(g) = \epsilon_B[\delta_B(g)] \quad (2)$$

3) *top hat*: top-hat operators are the residuals of an opening (or a closing) image, when compared to the original image, as:

$$TH = g - I(g) \quad (3)$$

If $I = \gamma_B(g)$, the operator is an opening top-hat and highlights bright peaks of the image. On the contrary, if $I = \phi_B(g)$ the operator is closing top-hat and emphasizes dark peaks of the image, as shown in Fig. 2.



(a) a

(b) b

Fig. 2. Opening (a) and closing (b) top hat features extracted for the Pavia image. The size of the structuring element is increased from top (3 pixels) to the bottom (29 pixels) of the images.

B. Experimental setup

A total of 206,009 labeled pixels has been identified by careful visual inspection of the hyperspectral image. These samples have been divided into a training set of about 34,000 pixels, a validation set for model selection (about 30,000

TABLE V
LABELED PIXELS FOR THE PAVIA IMAGE

| Class | Labeled pixels | Training | Validation | Test |
|------------|----------------|----------|------------|--------|
| Buildings | 84305 | 13000 | 12484 | 58821 |
| Roads | 17495 | 7000 | 1840 | 8655 |
| Shadow | 11375 | 7000 | 758 | 3617 |
| Vegetation | 49730 | 5000 | 7770 | 36960 |
| Water | 43104 | 2000 | 7148 | 33956 |
| Total | 206009 | 34000 | 30000 | 142009 |

pixels), and a test containing the remaining 142,009 pixels, as shown in Tab. V.

As discussed previously, the input space takes into account both spectral and spatial features. The six first Principal Components have been used as spectral information, while 28 spatial features have been extracted by applying opening and closing top-hat operators to the first PC using diamond shaped structuring element with increasing diameter size (from 3 to 29 pixels).

Each feature has been converted to standard scores and stacked in a single 34-dimensional input vector. The classifier is a one-against-all SVM implemented using the Torch 3 library [21]. A RBF kernel has been used. Model selection has been performed by grid search to find the optimal kernel parameters σ and C .

C. Majority voting of the best classification maps

During the contest, several maps have been uploaded, accounting for different training sets and optimal kernel parameters. Eventually, each classification map improving the previous solution has been combined using majority voting: a pixel received the label of the class assigned by most of the models. In the case where no class prevailed, the pixels receives the label of the map showing the highest Kappa coefficient.

Table VI presents the corresponding final confusion matrix. The score is 0.9858.

| Class | 1 | 2 | 3 | 4 | 5 |
|---------|--------|--------|--------|--------|--------|
| 99.65% | 213351 | 385 | 260 | 107 | 5 |
| 95.80% | 414 | 10296 | 12 | 25 | 0 |
| 98.42% | 223 | 35 | 16158 | 1 | 0 |
| 99.76% | 52 | 5 | 1 | 24430 | 0 |
| 100.00% | 0 | 0 | 0 | 0 | 10961 |
| | 99.68% | 96.04% | 98.34% | 99.46% | 99.95% |

TABLE VI
CONFUSION MATRIX, TRUE CLASSES GIVEN BY ROWS.

IV. GROUND-COVER MAPPING USING SUPERVISED CLASSIFICATION AND MORPHOLOGICAL PROCESSING

In this approach, we employ a Discrete Wavelet Transform (DWT) based processing of the hyperspectral signatures, followed by a Linear Discriminant Analysis (LDA) transformation and pixel-wise maximum-likelihood classification for creating a ground-cover map of the satellite imagery. The LDA transformation and maximum-likelihood classifiers are

trained using the training data extracted from the regions-of-interest provided to all contest participants. The resulting ground-cover map is then post-processed by an appropriate morphological operation to minimize the salt-and-pepper classification noise introduced because of the use of pixel-wise (per-pixel) classification. The DWT based pre-processing of the hyperspectral signatures provides a multi-resolution information representation. The mother wavelet employed in this approach is the Daubechies wavelet (implemented using the Daubechies 9/7 filter bank), which resulted in a feature vector comprising of DWT coefficients per pixel. Data from this high dimensional space was projected onto a reduced-dimensional space by employing the LDA algorithm. LDA seeks to find a linear transformation, such that the within-class scatter is minimized and the between-class scatter is maximized. The transformation is determined by maximizing Fisher's ratio which can be solved as a generalized eigenvalue problem.

The between class scatter matrix and the within class scatter matrix are learned from the training data. Since it is designed to maximize class separation in the projected space, LDA is an appropriate dimensionality reduction approach for the land-cover classification task at hand.

After performing an LDA transformation on the training and test data, a maximum-likelihood classifier is employed for classifying pixels in the image, that assumes Gaussian class distributions for each class. We assuming equal priors for each class. The class membership function for such a classifier is given in [22]. A conventional single-classifier system was sufficient for the given task because the amount of available ground-truth was sufficient relative to the feature space dimensionality. Had we had an insufficiently small ground-truth dataset for the classification task, the recently developed multi-classifier and decision fusion framework could have been employed for this task [23]. The feature extraction, optimization and classification approach outlined above helps in generating an initial ground-cover map. In order to remove salt-and-pepper classification noise from this map, morphological post-processing is performed over it. For each class i , a binary map is created with class i having the label 1 and all other classes having the label 0. A 1-pixel dilation is then applied to each set of clustered pixels in the binary map. This dilated mask is then subtracted from the clustered pixels in the binary map which produces a cluster ring. For a cluster smaller than a pre-determined class cluster threshold, the cluster ring is placed in the original image and the class with the largest sum of label pixels in the ring defines the label of the cluster. This is done for all classes. This operation ensures that stray mislabeling of classes (e.g., a building pixel in the middle of a river body) is corrected.

Normalized Difference Vegetation Index (NDVI) is a very good indicator of vegetation in remote sensing applications. As a final post-processing, we estimated the NDVI value for each pixel in the image. This NDVI map is used to replace the class-labels of all non-vegetation pixels in the classification map with vegetation pixels if the corresponding NDVI was high. This ensures that any missed pixels of vegetation pixels using the standard classification approach are identified and

corrected. It is worth mentioning that although we have performed the per-pixel classification in the wavelet domain, we obtained very similar recognition performance (measured by the accuracy) when we performed the classification in the raw reflectance domain. The improvement in overall classification by introducing a wavelets based processing was marginal.

Table VII presents the corresponding final confusion matrix. The score is 0.9753.

| Class | 1 | 2 | 3 | 4 | 5 |
|---------|--------|--------|--------|--------|--------|
| 99.42% | 212873 | 237 | 937 | 61 | 0 |
| 94.06% | 374 | 10109 | 13 | 251 | 0 |
| 96.78% | 252 | 160 | 15889 | 78 | 38 |
| 98.98% | 108 | 92 | 49 | 24238 | 1 |
| 100.00% | 0 | 0 | 0 | 0 | 10961 |
| | 99.66% | 95.39% | 94.08% | 98.42% | 99.65% |

TABLE VII
CONFUSION MATRIX, TRUE CLASSES GIVEN BY ROWS.

V. THREE-STAGE CLASSIFICATION BASED ON ONE VS ONE SUPPORT VECTOR MACHINES

The proposed method is made up of three classification stages with special attention to preprocessing and spatial feature extraction.

Preprocessing and features extraction. A Principal Components Analysis of the 102 Rosis spectral bands is computed. The 26 bands with the most significant principal components are used as spectral input features for the classifier. In addition, we introduced some spatial information extracted from the Rosis data set: standard deviation calculated on the first principal component and on the ratio Near-Infrared/Red (bands 102/66), known in remote sensing literature as a way to emphasize the vegetation. We also computed the so-called Energy measure, extracted from the well known Grey-Level Co-occurrence Matrix (GLCM), widely used in land-cover mapping [24]. Starting from a pixel in a given position, the GLCM provides a measure of the probability of occurrence of two grey levels separated by a given distance in a given direction (among the horizontal, vertical, left diagonal and right diagonal). The Energy measure is computed, that is the summation of squared elements in the GLCM, and the four directions are averaged to remove directional effects; this last choice is due to the absence of a preferred direction in the geometry of the investigated land-cover classes.

Each textural measure is computed on a moving window of 3×3 pixels. The total number of features for the first stage is 29. We worked on a total number of 2,133 labelled samples to train the SVMs, which were split into two subsets for training (882) and test (1,241) during the parameter optimization phase.

In our second classification stage, in order to improve the discrimination between buildings and streets, we added four new features obtained from the HYPERUSP algorithm. This procedure (implemented in the GIS Software IDRISI, Andes edition) first makes use of an unsupervised stage in which a prearranged number of hyperspectral signatures is identified looking at the whole Rosis spectral data set. Then, every

pixel of the image is considered as a combination of all the components represented in the signatures computed in the first stage. The coefficients of the four most representative components of the hyperspectral decomposition were selected, adding up to a total number of 33 features for the second classification stage. Additionally, the new class “grey building” was introduced, summing up to 1,614 labelled pixels for this stage.

Classification.

- First stage: a Support Vector Machine was used as multiclass classifier, in a One Vs One architecture with linear kernel ($C = 1$, RBF or polynomial ones performed not as good), where a SVM_i is built for each possible pair of classes. Presented with a new sample x , each SVM_i answers with the distance $d_i(x)$ that this sample has to its hyperplane. These distances will be converted to probabilities using a sigmoid function [25] with fixed parameters. To incorporate information about class-pair dependencies, we proposed [26] to not simply sum up the values per class, but use an algorithm based on the statistical Bradley-Terry model. After an iterative process, it produces probabilities that are very plausible given all pairs of classwise comparisons.
- Second stage: we only looked at those samples that were classified as buildings or streets (class 1 or 2), according to the answers of the previous stage. A One Vs One SVM with a linear kernel (as described above) was used. This second step increases the overall accuracy from 96.05 to 96.41 percent.
- Third stage: a simple filter was used to avoid lonely pixels which are classified differently from their neighbors. Considering a window of 3×3 surrounding a selected pixel, if the majority of the pixels belong to the same class, the central pixel is assigned to it.

Looking at the confusion matrix (see TAB VIII, the score is 0.9641) and also the final map, one can observe that there are very few errors, except for the classes 1 and 2 (buildings and streets). By visual inspection of a natural color composition of Rosis bands, we found that our classification procedure had still some difficulties in telling grey roofs from streets. Red roofs were classified correctly.

The rather powerful Support Vector Machine with Bradley-Terry coupled output outperformed some other classifiers tested, and the second stage we implemented proved to alleviate the street/building problem. For even better results, we think that more structural features would be needed.

| Class | 1 | 2 | 3 | 4 | 5 |
|---------|--------|--------|--------|--------|--------|
| 98.92% | 211804 | 1906 | 262 | 136 | 0 |
| 86.79% | 1403 | 9327 | 6 | 11 | 0 |
| 99.32% | 29 | 57 | 16306 | 1 | 24 |
| 99.87% | 31 | 0 | 1 | 24456 | 0 |
| 100.00% | 0 | 0 | 0 | 0 | 10961 |
| | 99.31% | 82.61% | 98.38% | 99.40% | 99.78% |

TABLE VIII

CONFUSION MATRIX, TRUE CLASSES GIVEN BY ROWS.

VI. BAYESIAN FUSION

Given the fact that different classifiers have different performances for different kinds of classes, it was interesting to perform some classifier fusion. Several classification strategies with different refinements were defined to improve the shortcoming we notice during the first tentatives. The idea is to define several methods each with their own strengths and weaknesses and to combine the results. We implemented several SVM classifiers using different input features and training sets and applied Bayesian fusion with two approaches.

The first point that we noticed was that SVM classifiers were found to be very sensitive to the training sets. As no training set was provided for the challenge, several training sets were created with different characteristics: including border pixels or not, exhaustive classification of small areas, etc. Another question was raised concerning the definition of classes: inner courtyard are considered as road or building? Several training sets were created with these different strategies in mind. Finally, four training sets were used.

The second point concerned the input data: data provided to the SVM is particularly critical. The first possibility is to use the original image. However, using many bands does not allow to efficiently differentiate classes thus the learning stage is usually very costly as the SVM has to find out the significant information. For hyperspectral data, several pre-processing steps are widely used to reduce data dimensionality. Principal Component Analysis was used to concentrate the information on the first few spectral bands and the eight bands with most energy were kept for the SVM. Similar processing was done for the Maximum Noise Fraction (MNF) keeping the first eight bands. As the SVM is able to classify data even when some features of the feature vector are irrelevant or redundant, both PCA and MNF were also combined.

One shortcoming of the SVM classification is that it is based only on one pixel at a time. Pixels on the edge of classes are usually composed of several classes, it is particularly difficult to classify these pixels without looking at their environment, most classification errors come from these pixels. The simplest way to introduce a relationship between these pixels was to use a Markov Random Field to regularize the final classification. A simple Potts model was introduced to reduce the noise on these edge pixels. Such regularization usually increases the final score by 2% in average.

An alternative to this regularization was to apply a blur (mean filter) to the input data. Such blur usually reduces the differences between pixels within one class, thus greatly speeding the learning step, without a significant impact on false classification.

All these data sets, training sets and classification options led to different classification results. Given the fact that the confusion matrix was computed on about one quarter of the pixels, the idea was then to improve the overall results using performances on this pixel subset. This really corresponds to a real case where a ground truth is available for a portion of the image and the automatic classification is used to speed up the process without any more human intervention. Several approaches were designed to combine these results.

The first approach consisted in performing Maximum Likelihood Fusion (MLF) of the different M classifiers using the confusion matrix obtained for each of them. So for a given pixel x_i and for each class $C_k = 1, \dots, N$ we compute likelihood:

$$L(x_i, C_k) = \sum_{j=1}^M U_j^k \cdot A_{jk}; \quad (4)$$

where U_j^k is a binary valued function which is equal to 1 if classifier j gives class k and 0 otherwise and A_{jk} is the diagonal term of the confusion matrix of classifier j for class k .

The MLF consists in taking the class k which maximizes the likelihood for each pixel.

The second approach consisted in performing Maximum A Posteriori Fusion (MAPF), which is actually like MLF, but using the prior probabilities of the different classes, $P(k)$:

$$L(x_i, C_k) = \sum_{j=1}^M U_j^k \cdot A_{jk} \cdot P(k). \quad (5)$$

$P(k)$ can easily be obtained from the output of each classifier, since these are good enough to assume that the proportions of the classes are correct. One can also obtain these proportions by computing a weighted average of the proportions of each classifier. The weights can be proportional to the kappa coefficient of each classifier.

Combining several classifications leads to improved results: 1% over the best classification. This result is also more robust as it does not need any fine tuning of the SVM parameters: the worst results will be discarded during the fusion process.

Table IX presents the corresponding final confusion matrix. The score is 0.9612.

| Class | 1 | 2 | 3 | 4 | 5 |
|---------|--------|--------|--------|--------|--------|
| 98.45% | 210786 | 1426 | 1881 | 13 | 2 |
| 97.06% | 135 | 10431 | 181 | 0 | 0 |
| 97.27% | 88 | 178 | 15968 | 0 | 183 |
| 99.38% | 11 | 139 | 3 | 24335 | 0 |
| 100.00% | 0 | 0 | 0 | 0 | 10961 |
| | 99.89% | 85.68% | 85.55% | 99.95% | 98.34% |

TABLE IX

CONFUSION MATRIX, TRUE CLASSES GIVEN BY ROWS.

VII. DECISION FUSION

The decision fusion of the five best individual results (described in the previous sections) was achieved using a simple majority vote. Table X presents the corresponding final confusion matrix. The score is 0.9921. Even though the final score is less than 1% higher than the best algorithm, it remains the best. As a conclusion, one can clearly state that decision fusion is indeed a promising way in order to actually solve the problem of classification in hyperspectral imagery. One can think of the result of this contest as the "meta-classifier" everyone has been dreaming of, but no one ever did implement such a classifier.

As a matter of fact, it requires the perfect mastering, implementation and tuning of very different up-to-date techniques, from dimension reduction, to feature extraction and classification. Only the joint effort by different teams, each one specialized in its own technique, could actually make it. In that sense, the contest was a success.

This classifier, which provides the best results ever obtained on this data set, can be considered in itself as a technical contribution of the contest.

| Class | 1 | 2 | 3 | 4 | 5 |
|---------|--------|--------|--------|--------|--------|
| 99.76% | 213600 | 229 | 248 | 31 | 0 |
| 98.06% | 199 | 10539 | 2 | 7 | 0 |
| 99.29% | 71 | 43 | 16301 | 1 | 1 |
| 99.93% | 8 | 9 | 1 | 24470 | 0 |
| 100.00% | 0 | 0 | 0 | 0 | 10961 |
| | 99.87% | 97.40% | 98.48% | 99.84% | 99.99% |

TABLE X

CONFUSION MATRIX, TRUE CLASSES GIVEN BY ROWS.

VIII. CONCLUSIONS AND PERSPECTIVES

The contest provided some interesting conclusions and perspectives. They are summarized in the following items:

- **supervised versus unsupervised methods:** it was very interesting to see that the first uploaded results had been obtained with unsupervised methods. The results were fairly good (around 75%), but were outperformed by the supervised methods when they appeared a few weeks later. However, seeing these methods providing very fast and fairly good results was quite interesting.
- **dimension reduction:** most of the proposed methods used a dimension reduction as a pre-processing. Most of them used the Principal Component Analysis, retaining various numbers of components. However, this step, with PCA or other methods, seems to be a must-do.
- **spatial and spectral features:** several algorithms used both kind of features. While the spectral information is easily extracted from the original spectra (directly or after some sort of dimension reduction), the spatial information remains a more tricky issue. Texture analysis, mathematical morphology provides some answers. Other ways to extract such a meaningful information are currently investigated. Similarly, mixing the spectral and the spatial information in the best possible way is also a clear direction for future researches.
- **Support Vector Machines:** almost all the best methods used some Support Vector Machines based classifiers. SVM really appeared as extremely suited for hyperspectral data, thus confirming the results presented in the recent abundant literature.
- **Neural Networks:** we must conclude by emphasizing that, similarly to the 2007 contest, Neural Networks provided the best individual performances.

The final comment is on **decision fusion**. It was a great surprise and a very interesting point when we noticed that many submitted results had been obtained using different algorithms.

Meaning: the participants already performed a decision fusion before uploading their classification maps. This fusion “to the power of two” was also a clear sign that decision fusion is indeed a way to go for future research.

Of course a crucial issue is the algorithm used for the fusion. The simplest solution consists in performing a majority vote. Some participants used it, it was also used for the final result of the contest. But this is clearly sub-optimal. More advanced strategies require the definition of a reliability criterion [27][28]. The solution used by Jordi Inglada and Emmanuel Christophe in the frame of the contest is both very smart and very inspiring: using the confusion matrices automatically provided by the system may sound like a diversion of the contest. But it is as a matter of fact absolutely reasonable for operational applications. Combining several classification results based on their performances on small areas where a ground truth is available corresponds to real application situations. In crisis situation, classification is usually performed by hand. Using such a system enables to limit the human intervention only to a small portion of the image while keeping similar performances.

As a conclusion, the actual classification performances obtained at the end of the contest should not be considered as absolute values. The results were obtained after a few months of intense activity by all the participants, and were obtained with one single data set. The accurate and reliable classification of hyperspectral images still needs some methodological developments. But the conclusions, as discussed in this session, clearly point some ways for future research. Among them, decision fusion has doubtlessly demonstrated its outstanding ability.

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