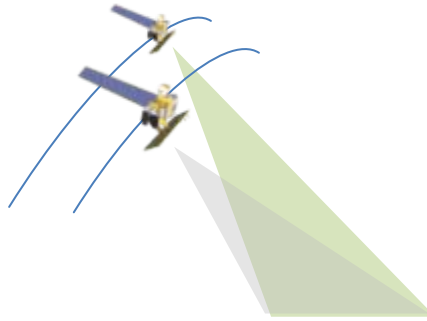




# PolInSAR Forest Parameters Retrieval

## Results using the ESA ALOS-PALSAR Prototype Processor

**Marco Lavalle<sup>1-3</sup>, D.Solimini<sup>1</sup>, E.Pottier<sup>2</sup>,  
Y.-L. Desnos<sup>3</sup>, N. Miranda<sup>3</sup>, B. Rosich<sup>3</sup>, M. Santuari<sup>3</sup>**

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<sup>2</sup>IETR UMR CNRS 6164, University of Rennes 1, Rennes, France

<sup>3</sup>European Space Agency, ESA-ESRIN, Frascati, Italy



# Outline

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## ► Introduction

- PolInSAR basic idea and inversion approach

## ► Forest parameters estimation

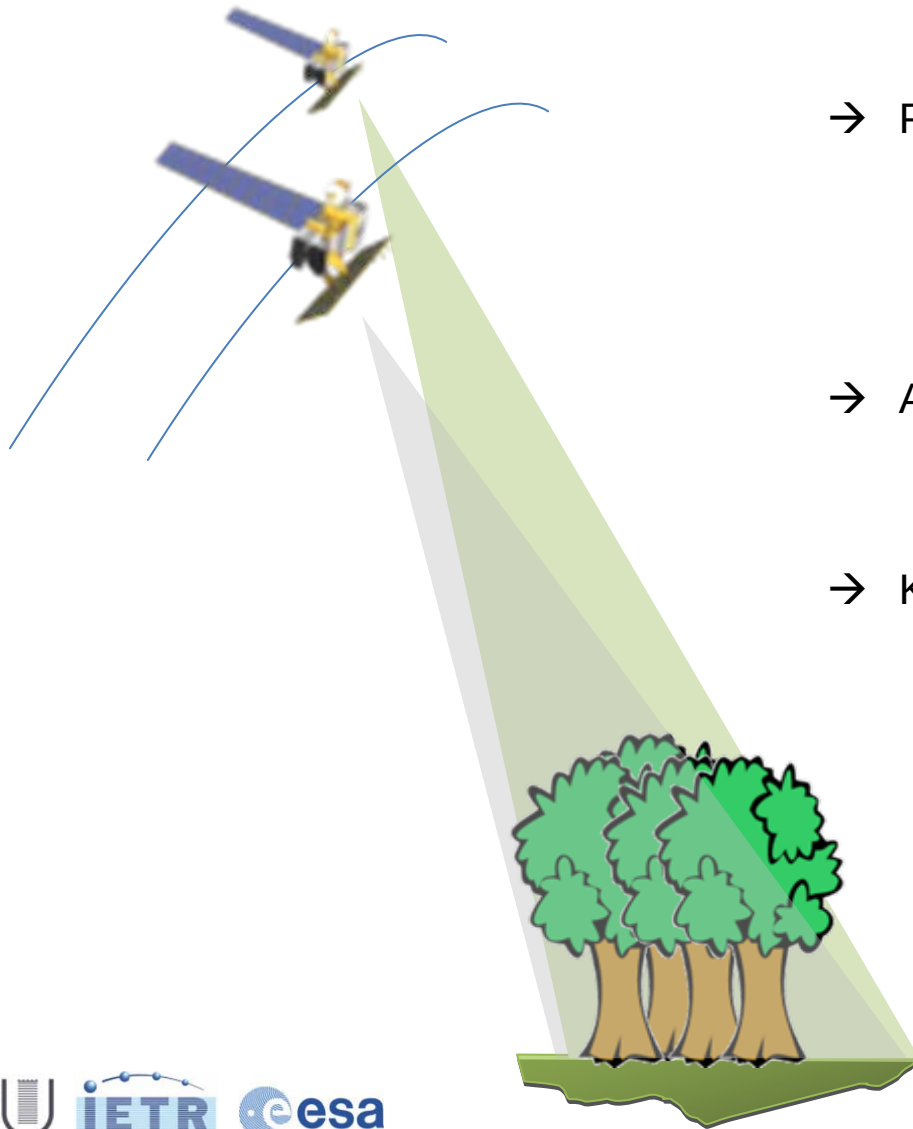
- Optimum PolInSAR coherence
- Coherent model analysis
- Processing and observations of ALOS-PALSAR data

## ► Results of preliminary forest height inversion

## ► Conclusions

# Introduction

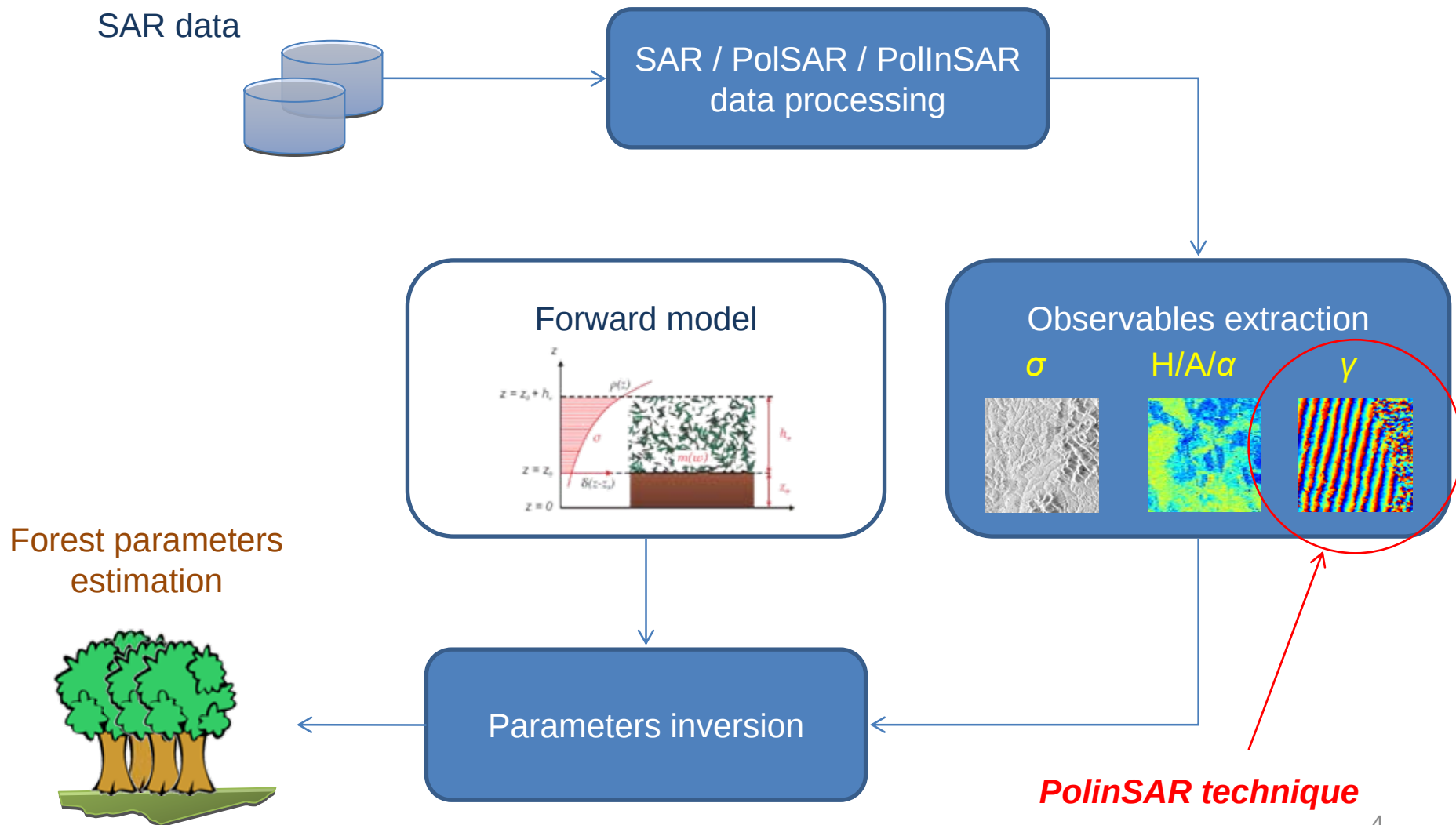
## Polarimetric SAR Interferometry



- PolInSAR basic idea (Cloude, Papathanassiou 1997)
  - InSAR coherence has different sensitivity according to polarization
  - To discriminate among different components of the vertical structure of vegetation
- ALOS PALSAR
  - L-band
  - 46 days revisit time
- Key observable
  - Complex degree of coherence  $\tilde{\gamma}$

# Introduction

## Forest parameters inversion from SAR data: general scheme



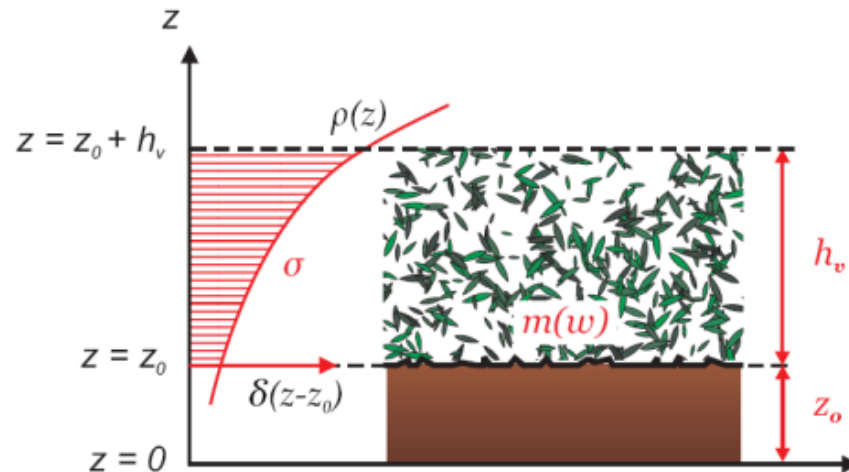
# Introduction

## Random Volume over Ground (RVoG) Model

### Forward model

Vegetation height:  $h_v$   
 Vertical reflectivity function:  $\rho(z)$   
 Gound/Volume Ratio:  $\mu(\vec{w})$


 $\tilde{\gamma}$

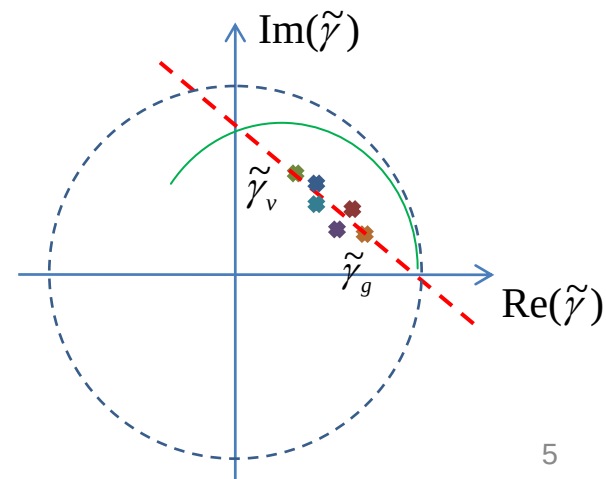


### Inversion procedure

- 1) Line fitting in the complex plane

$$\tilde{\gamma}_{RVoG} = e^{jk_z z_0} \left[ \tilde{\gamma}_v + \frac{\mu(\vec{w})}{1 + \mu(\vec{w})} (1 - \tilde{\gamma}_v) \right]$$

- 2) Vegetation bias removal
- 3) Height and extinction estimation



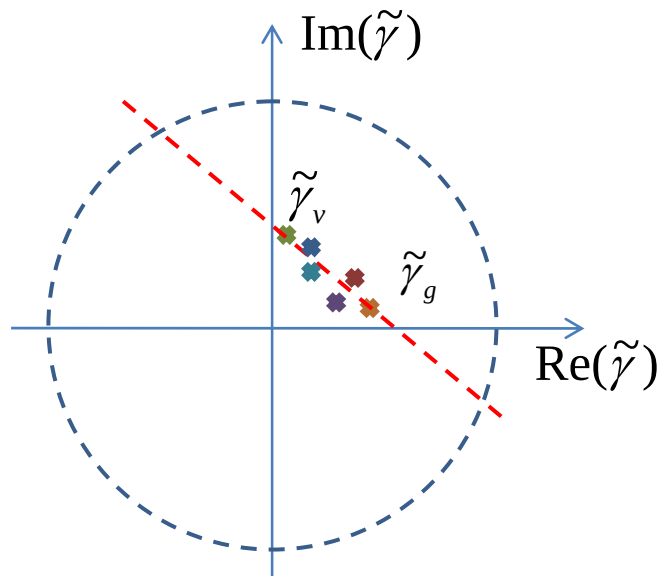
# RVoG inversion with PALSAR data

Main issue

LARGE BASELINE  
(>800m)



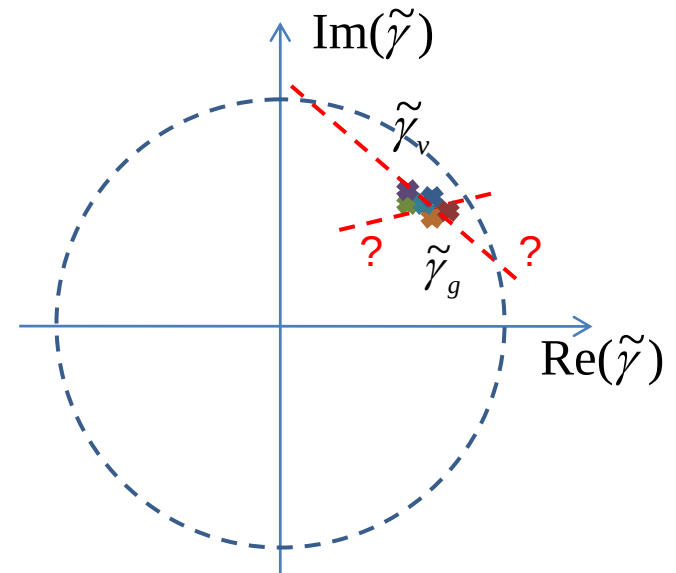
High decorrelation



SMALL BASELINE  
(<200m)

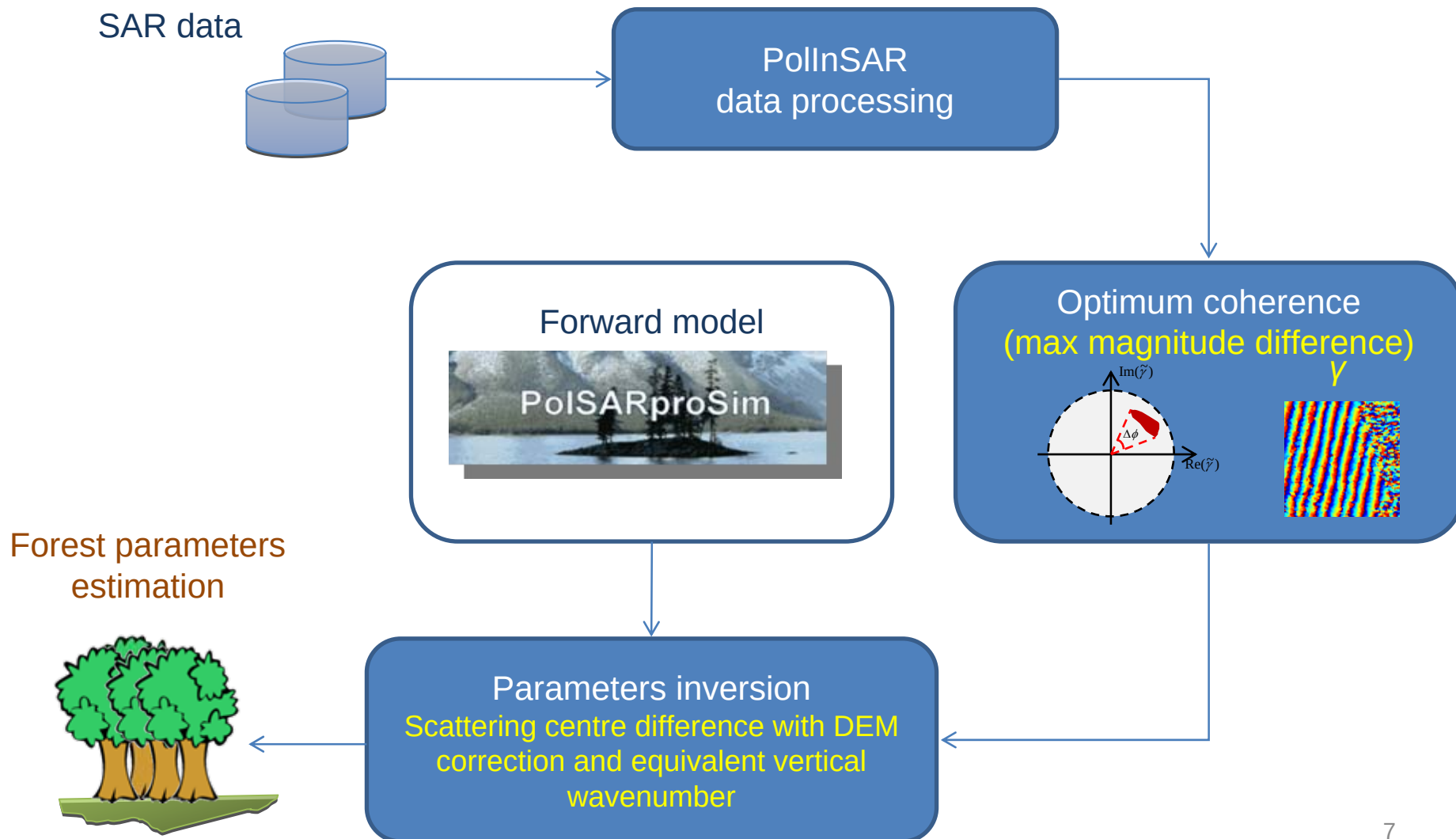


Line fitting fails



# Proposed approach

Forest parameters inversion from SAR data: general scheme



# Proposed approach

## Coherent PolInSAR Scattering Model

### → PolSARProSIM

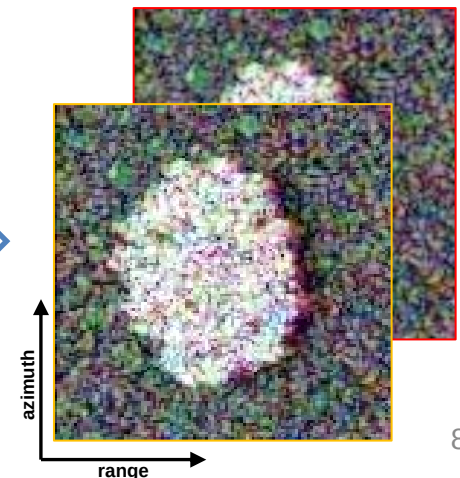
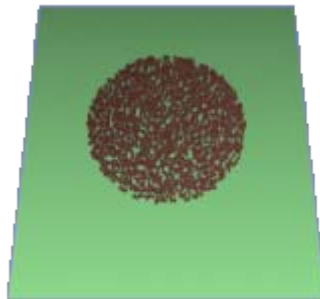
- Maxwell-based scattering model (Williams, 2006)
- Fully **coherent** PolInSAR simulator
- **Only target decorrelation**

### → Input Parameters

- **Acquisition geometry** (satellite altitude, baseline, inc. angle)
- **Forest** (height, density, tree type)
- **Soil** (roughness, moisture content, terrain slope)

### → Simulated scenario:

- **ALOS/PALSAR**
- pine forest





# Proposed approach

## PolInSAR optimum coherence

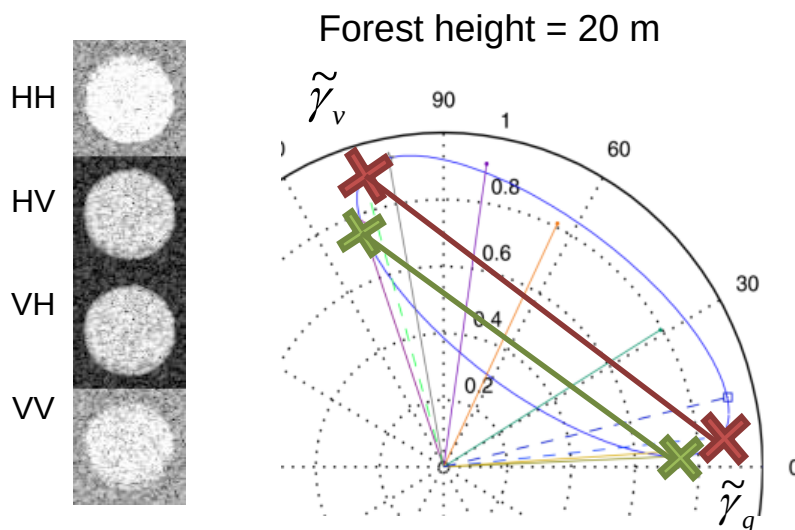
→ Coherence region in the complex plane calculated through the *field of values*  $F$  of the normalized coherency matrix  $T_{11}^{-1/2} \Omega_{12} T_{22}^{-1/2}$

→ Different Optimisation algorithms (SVD, numerical radius, **phase diversity**, etc.)

→ **Iteration for the maximization of magnitude difference**

$$\max_{\gamma_i, \gamma_j \in F} |\tilde{\gamma}_i - \tilde{\gamma}_j| \longrightarrow \phi_{opt_1} = \tilde{\gamma}_{i^*}, \quad \phi_{opt_2} = \tilde{\gamma}_{j^*}$$

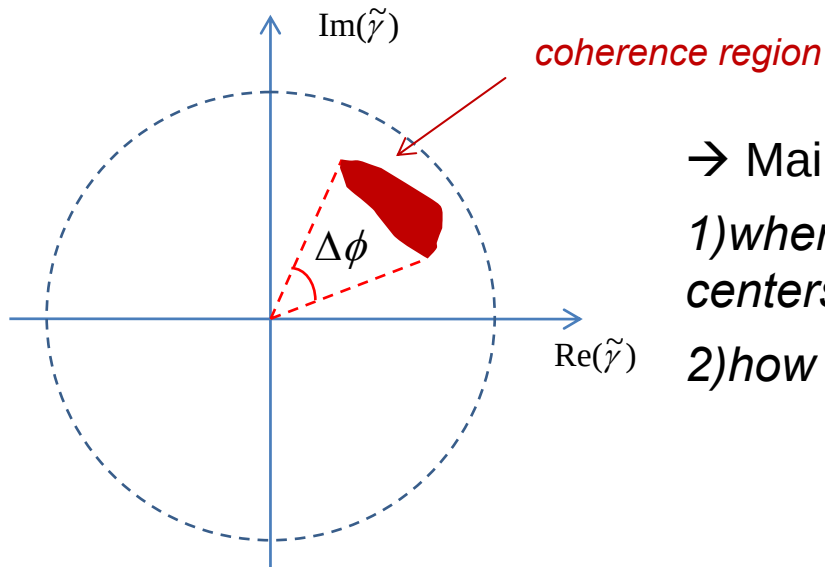
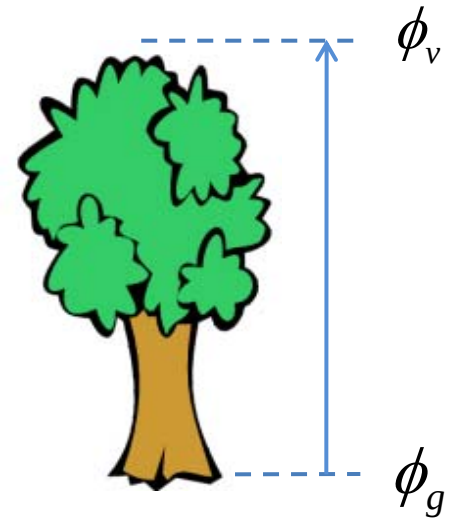
→ Example of coherence boundary



# Proposed approach

## Forest height estimation

- Simple scattering phase center difference
  - physically related to the problem
- Scattering phase center positions
  - Depends on many factors (acquisition geometry, forest parameters, soil properties)



→ Main challenges

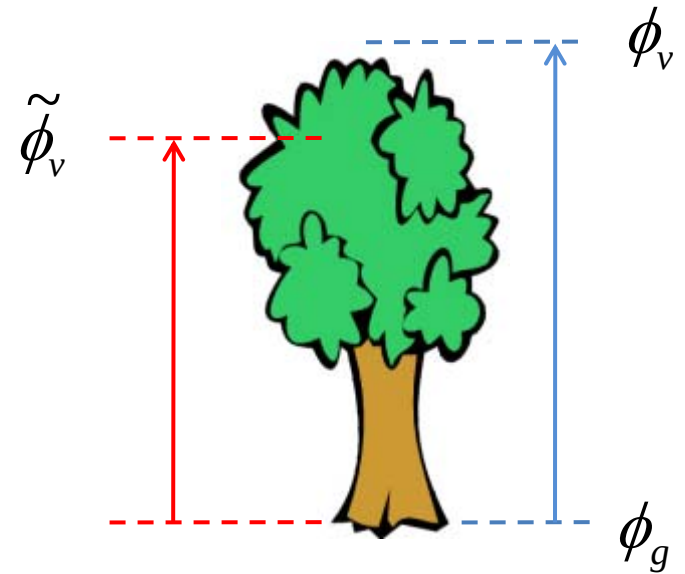
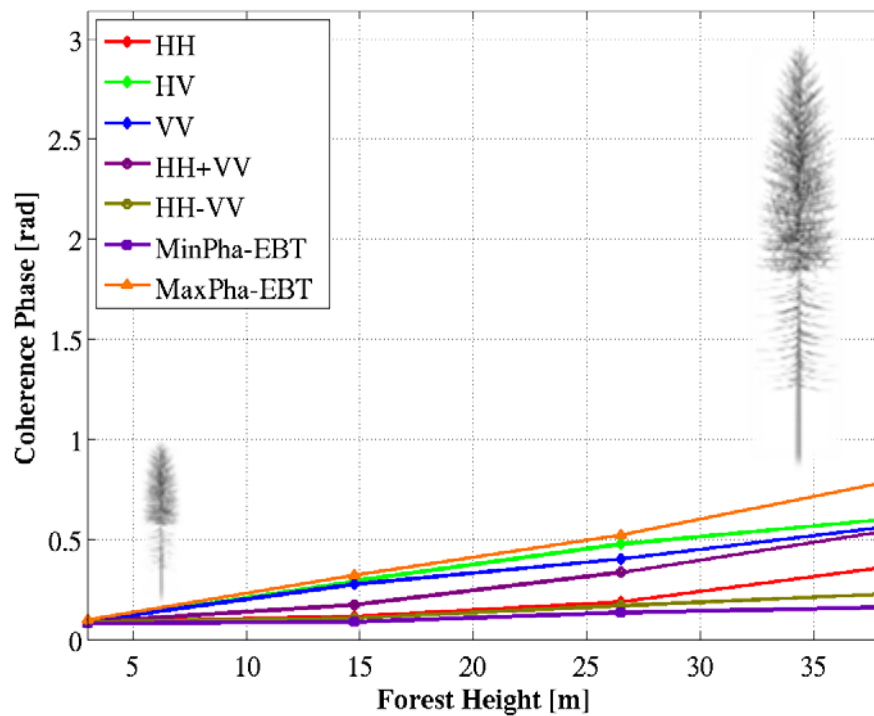
- 1) where are located exactly the scattering phase centers while varying the polarization?
- 2) how to cope with temporal decorrelation?

# Model Analysis

## Coherence vs Vegetation Height

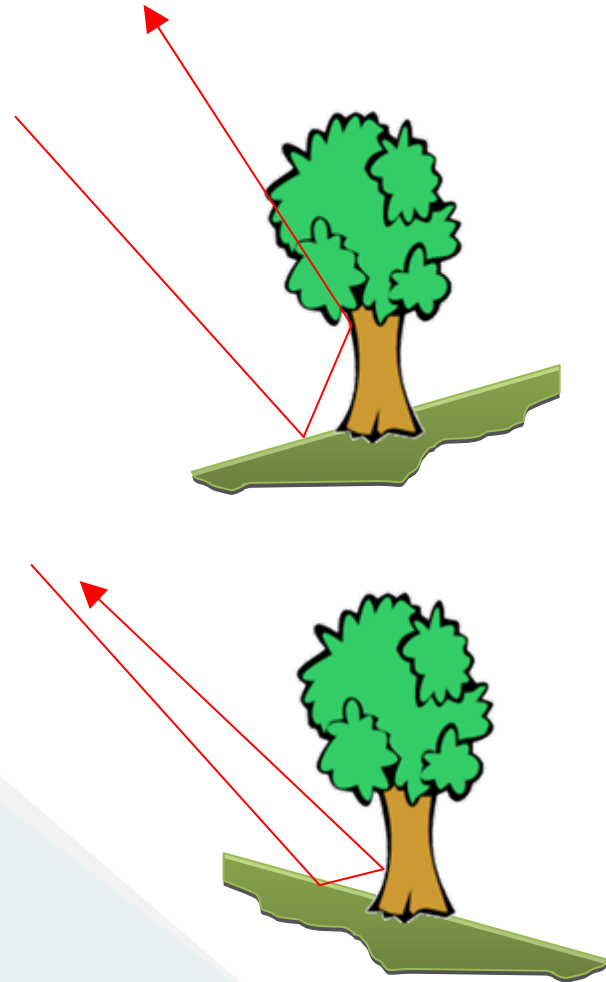
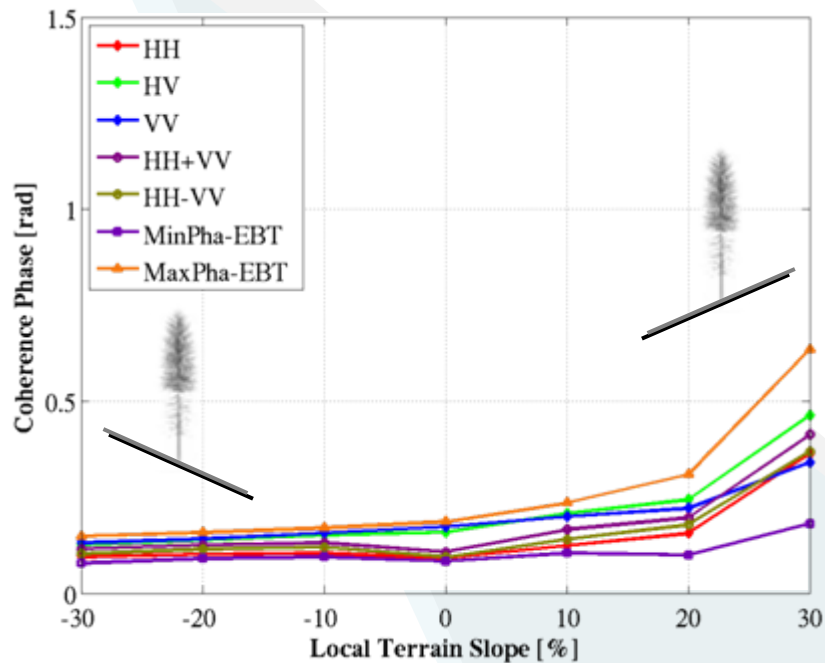
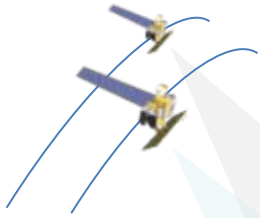
→ Simulated scenario

- ALOS/PALSAR
- Baseline 100 m



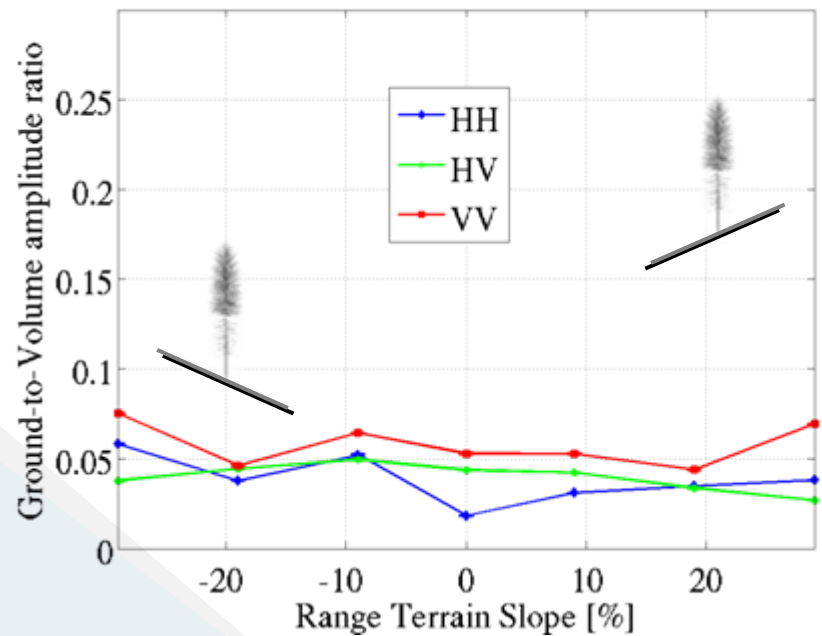
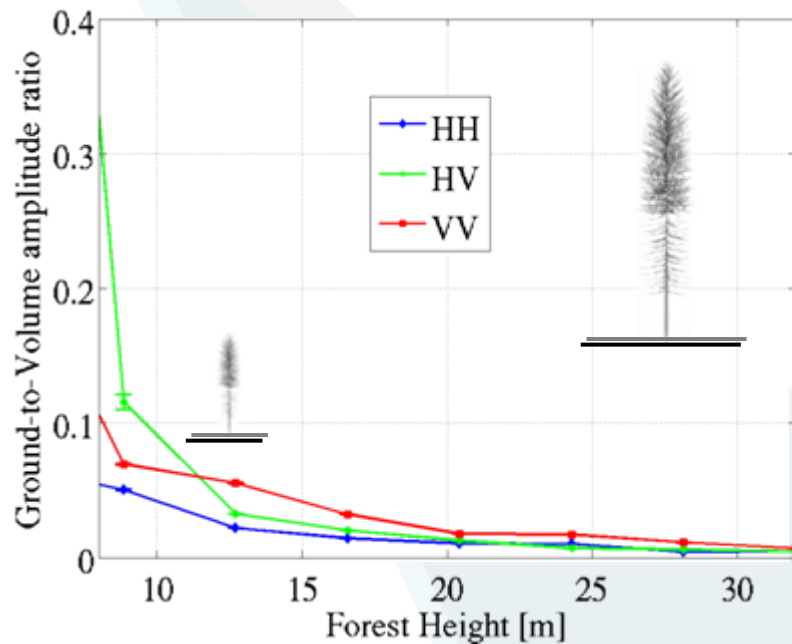
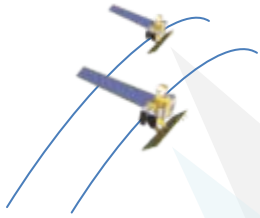
# Model Analysis

## Coherence vs Local Terrain Slope



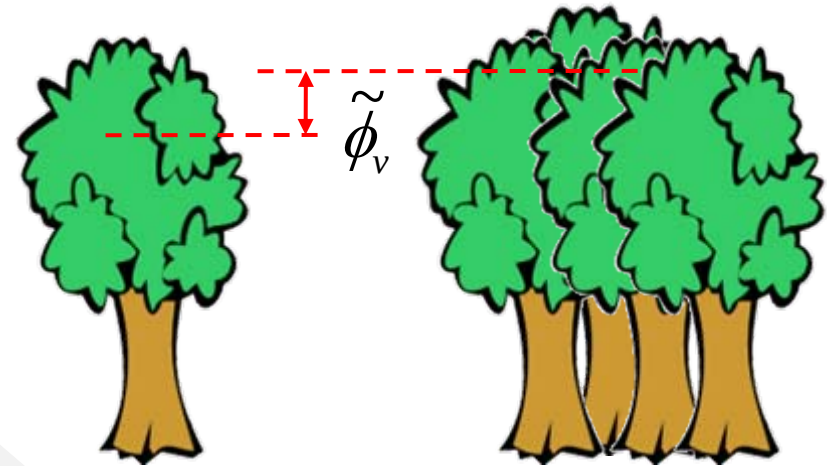
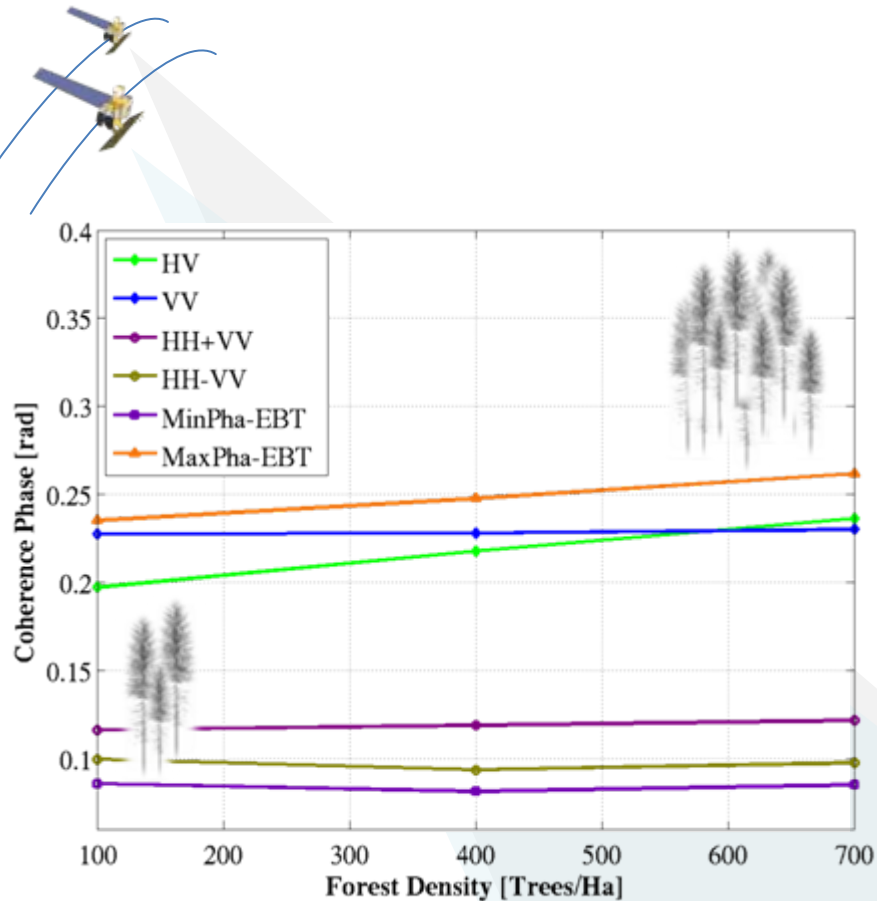
# Model Analysis

## Ground-to-Volume ratio



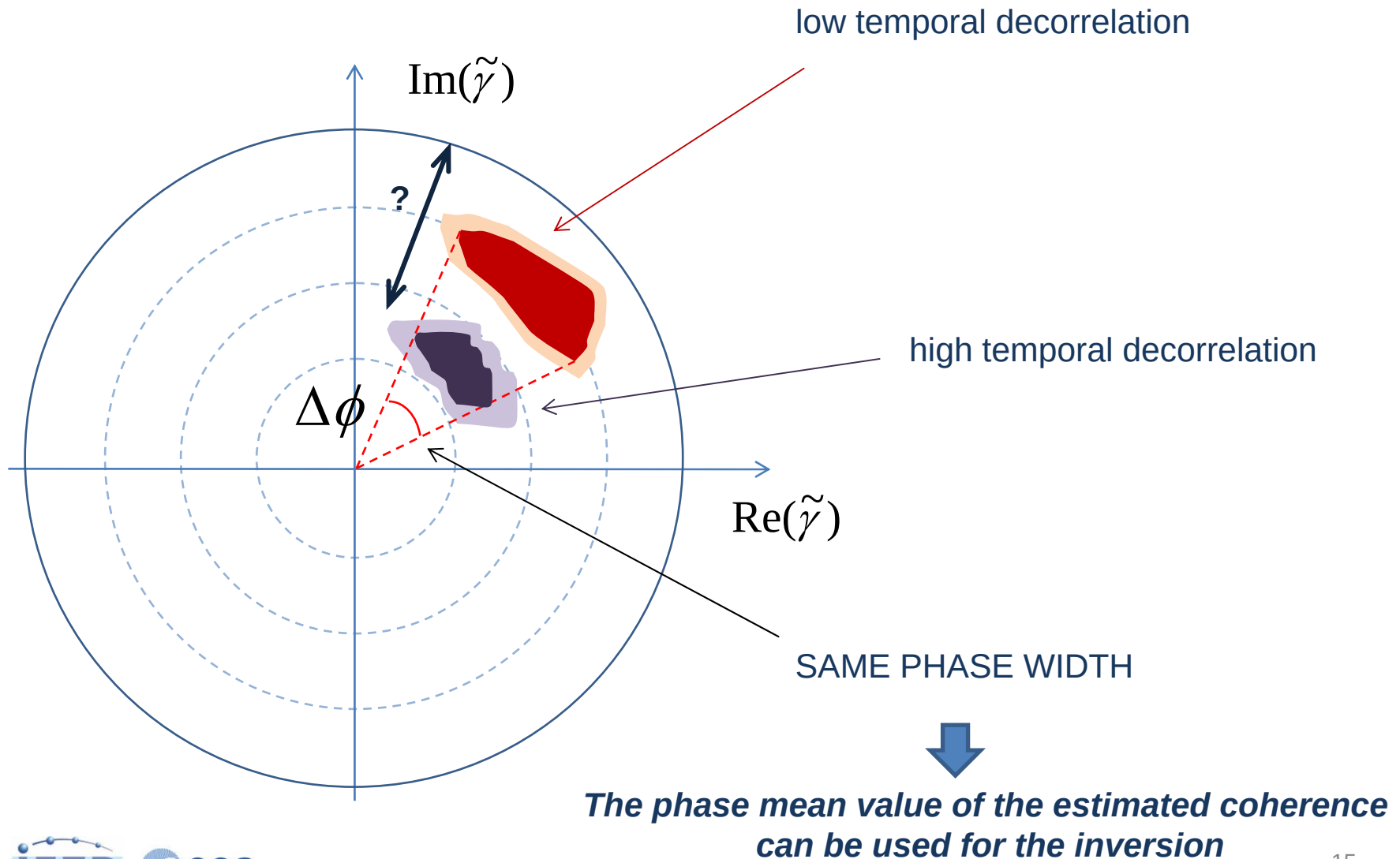
# Model Analysis

## Coherence vs Forest Density



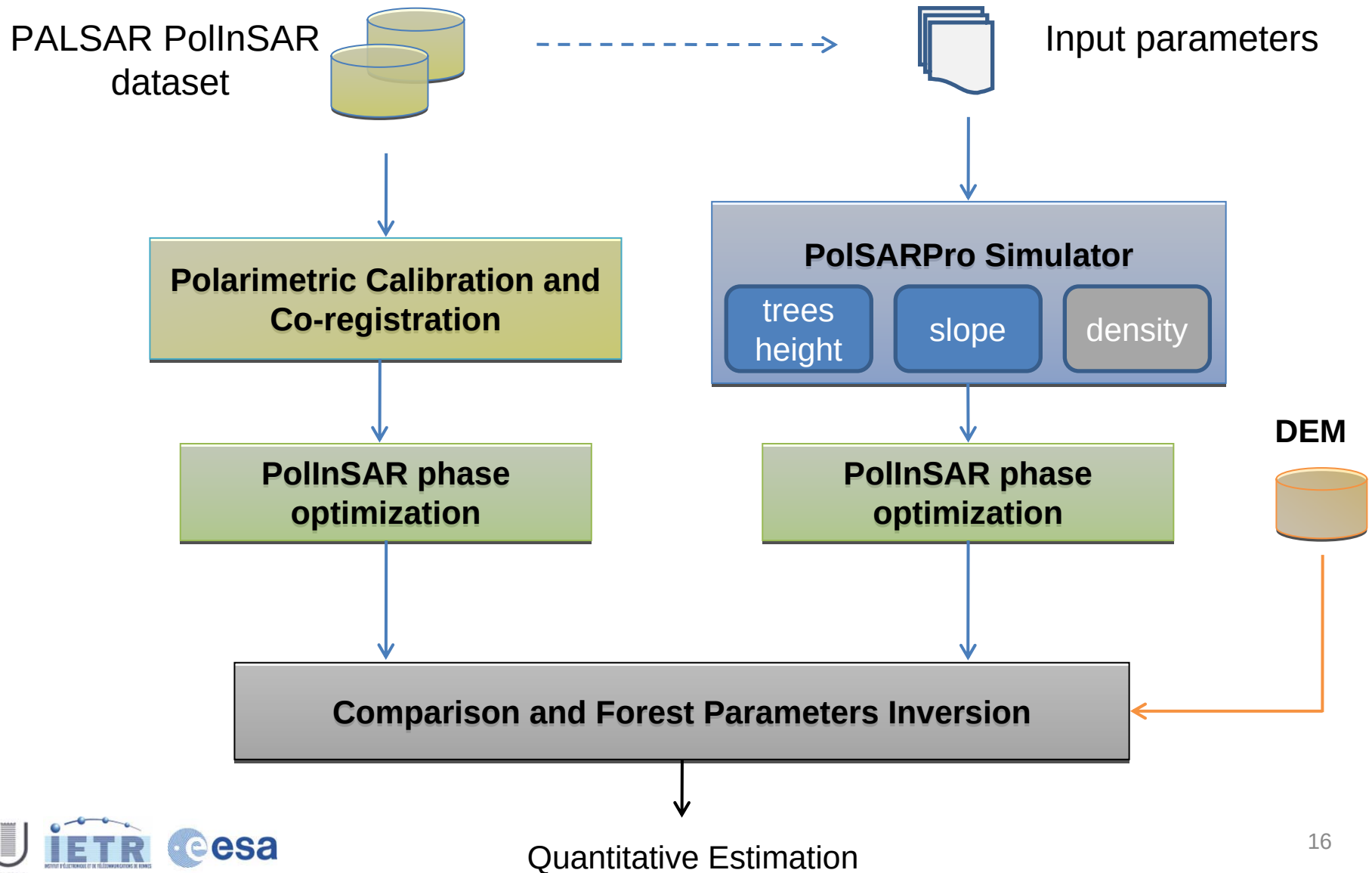
# Effect of the temporal decorrelation

Coherence region



# Processing chain

## General Scheme

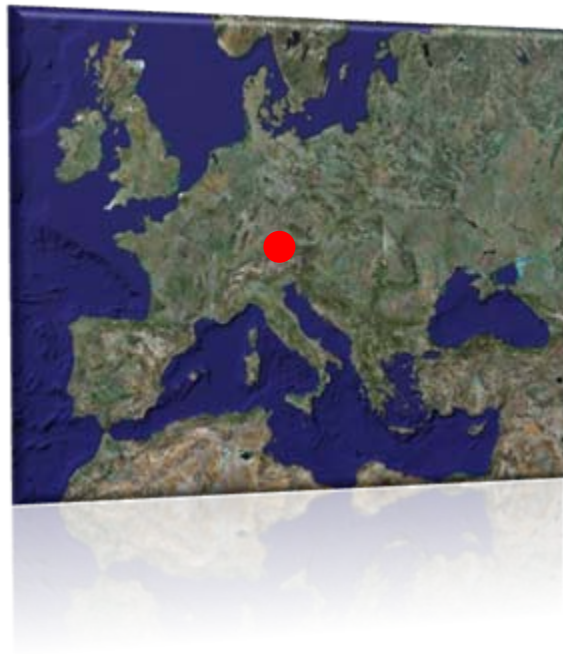




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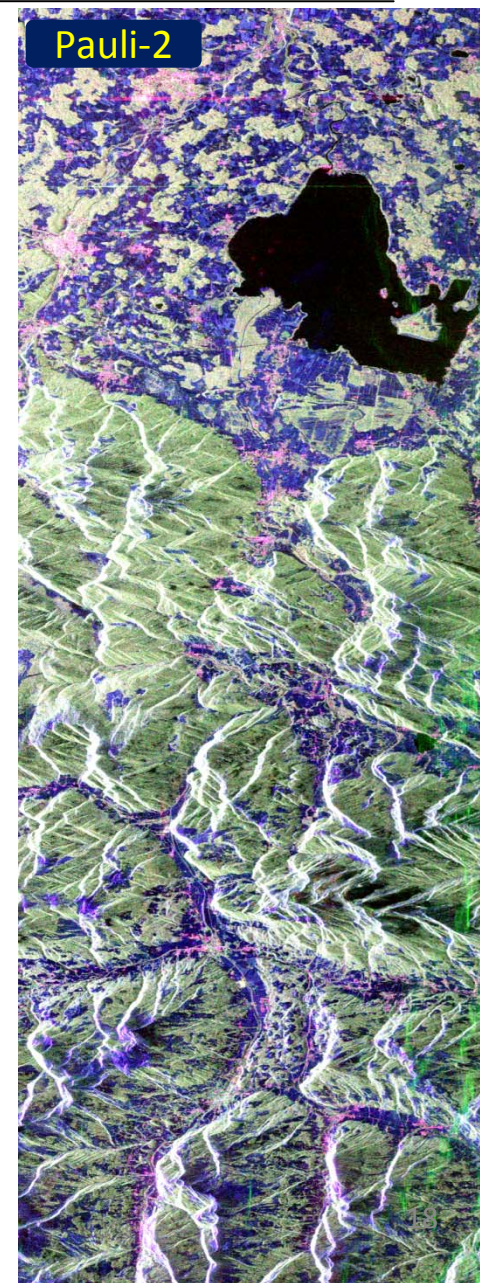
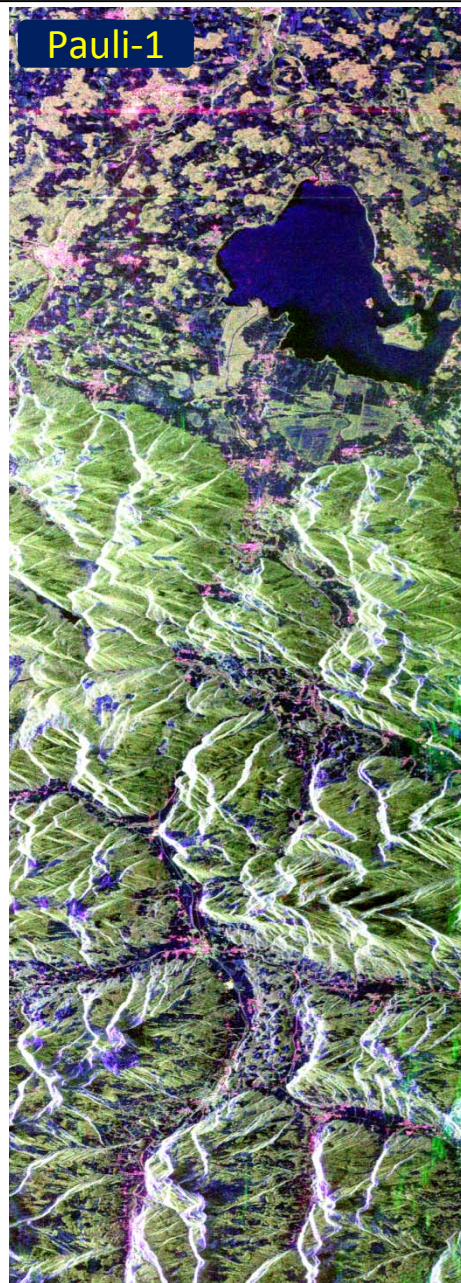
# Results using ALOS-PALSAR data

# Results – ALOS PALSAR



→ 2 PALSAR PolInSAR acquisitions

- Germany / Traunstein area
- Descending pass
- Baseline 210 m



# ALOS PALSAR processing

PALSAR RAW DATA L1.0



ESA PALSAR Prototype Processor

Faraday rotation correction

Polarimetric Calibration

SLC Coregistration

Flat Earth Removal

Interferogram generation

Faraday rotation estimated using the method of Bickel and Bates

Old distortion matrix removed and new calibration matrices applied (*Shimada, IGARSS'07*)

Coarse and fine coregistration (including spectral shift and filtering)

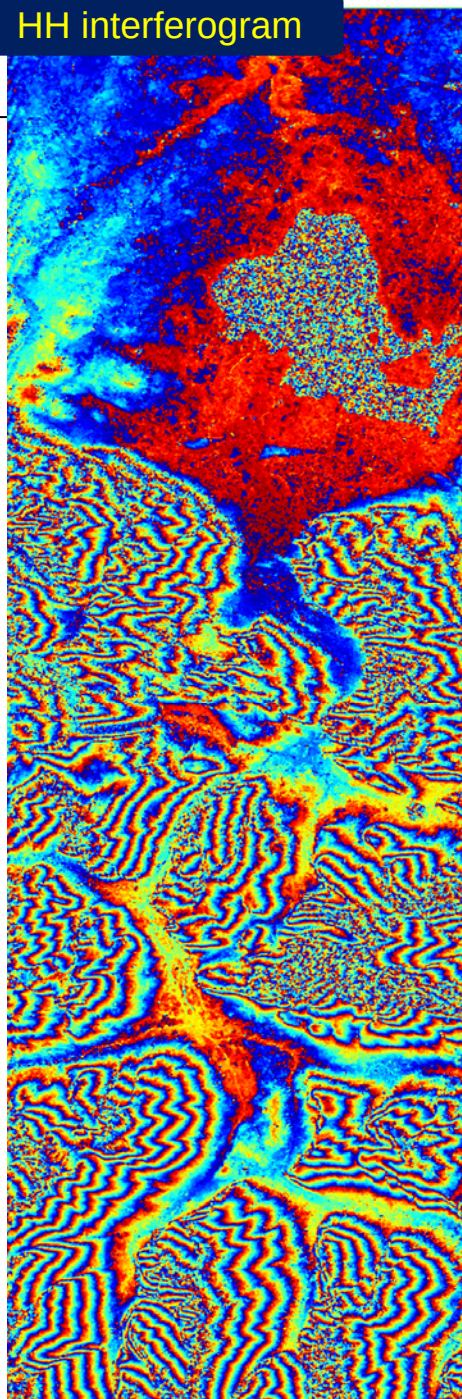
Ellipsoid WGS-84  
No digital elevation model



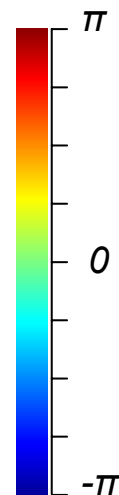
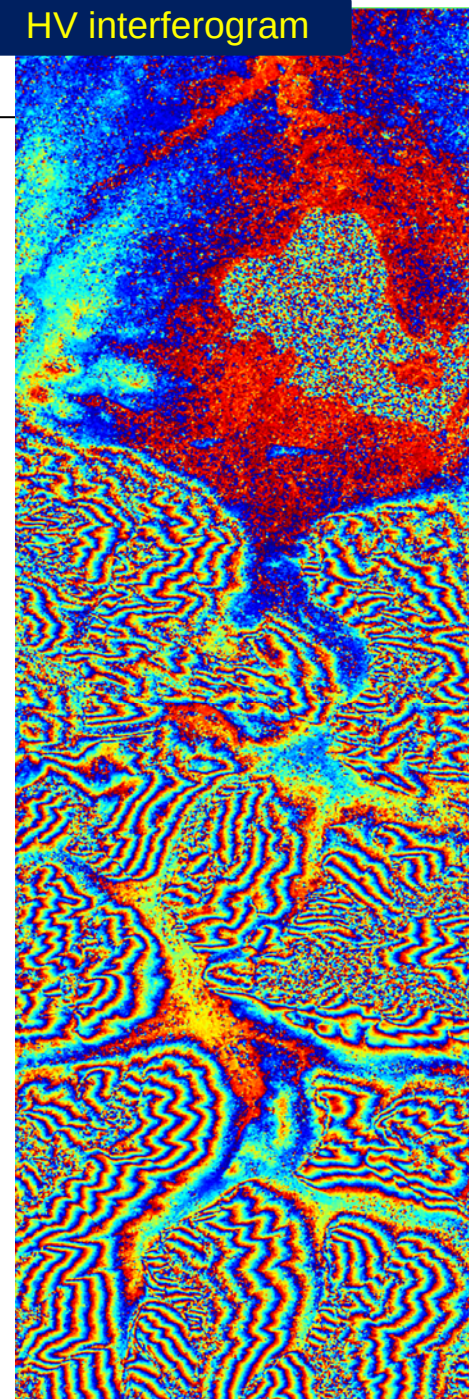
# Results

Flattened interferogram

HH interferogram



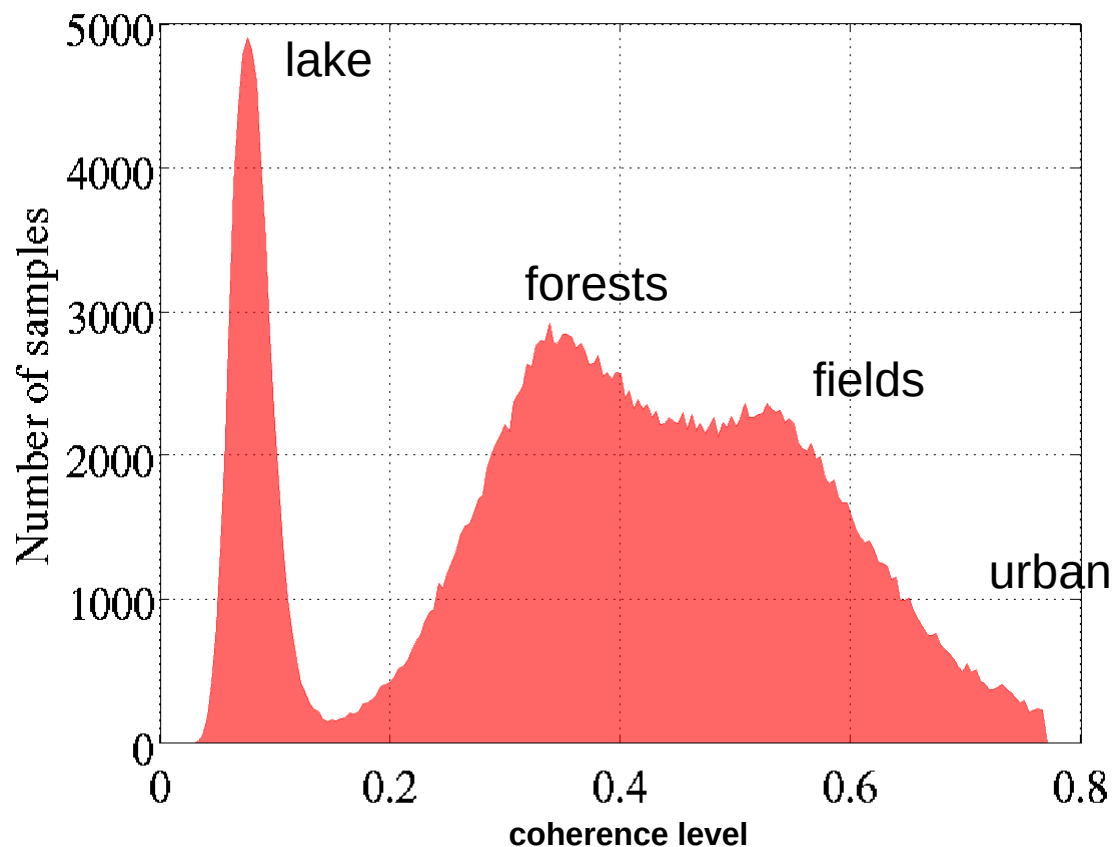
HV interferogram





# Results – ALOS PALSAR

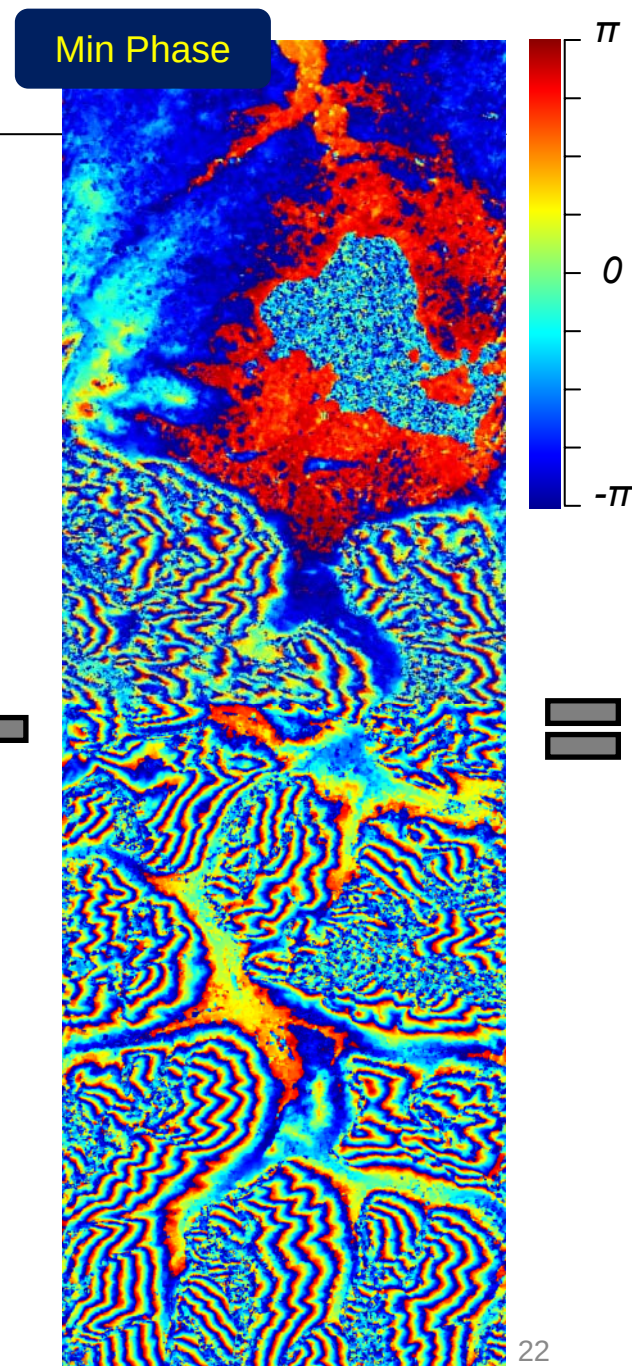
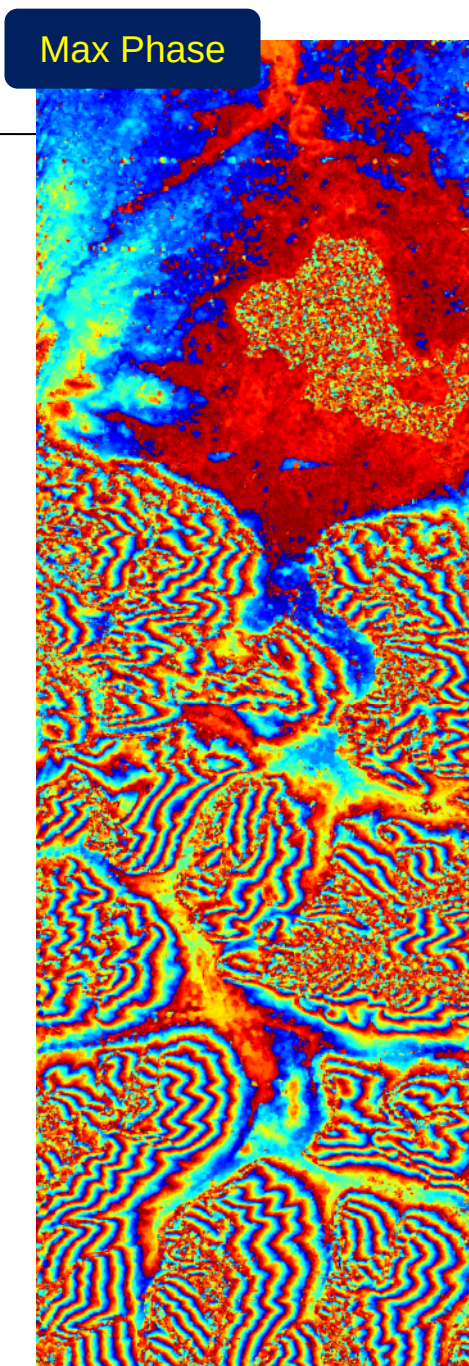
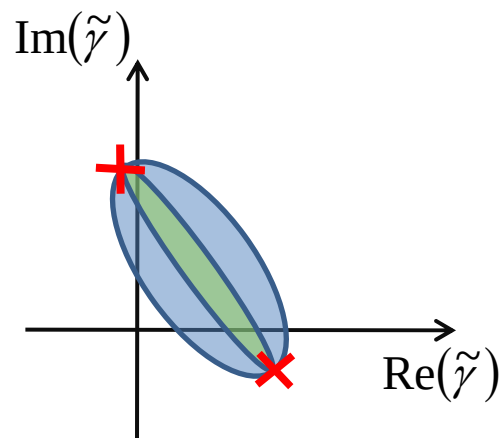
Max coherence level



# Results

## Optimum interferogram

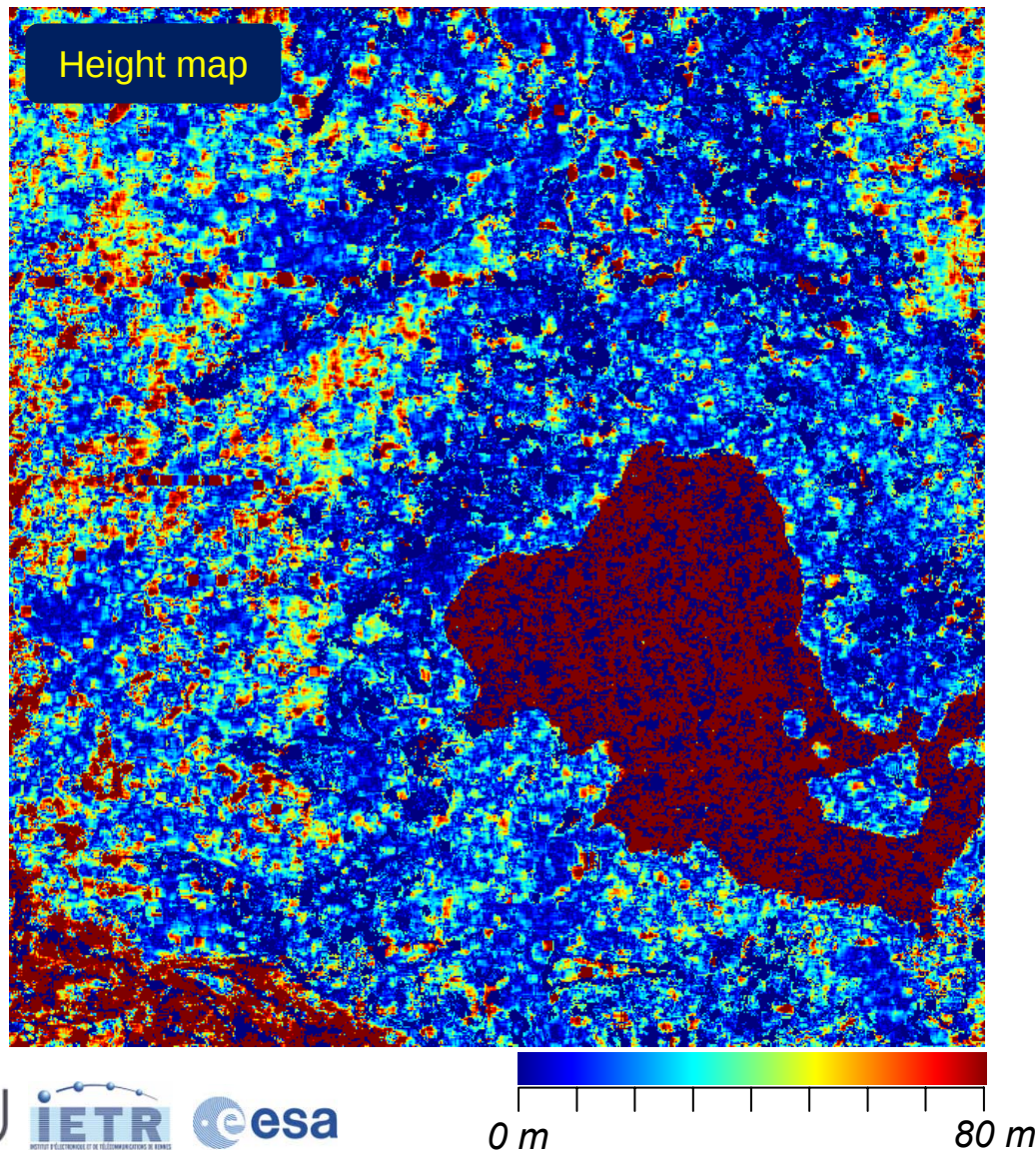
→ Maximization of the magnitude difference





# Results – ALOS PALSAR

## Estimation of phase centers height

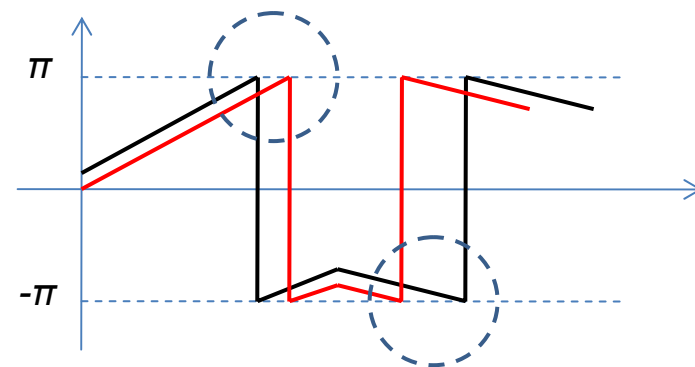


→ Simple difference between optimized phase centers:

$$h_v = \frac{\phi_v - \phi_g}{k_z}$$

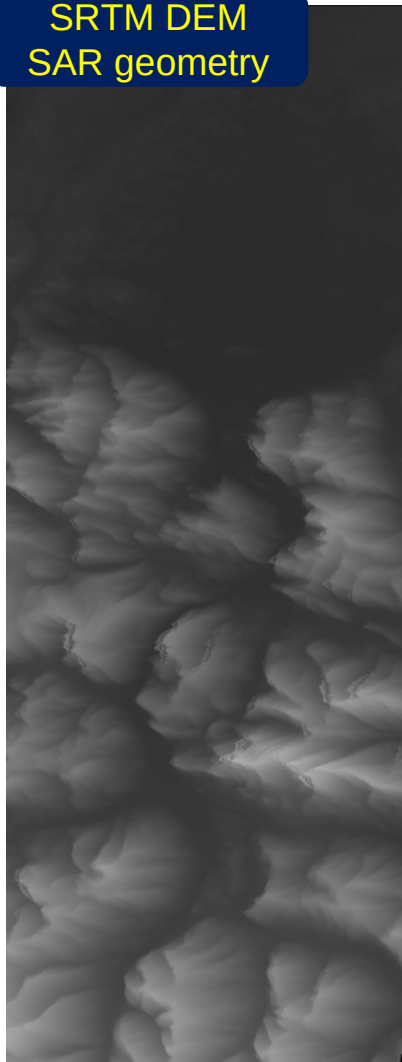
→ No residual topography

→ Low coherence values not masked



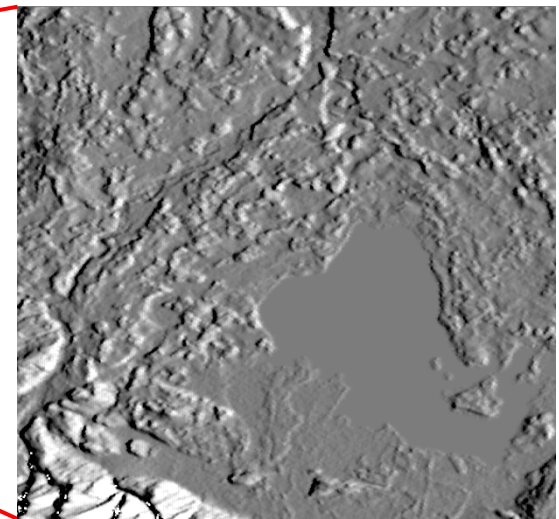
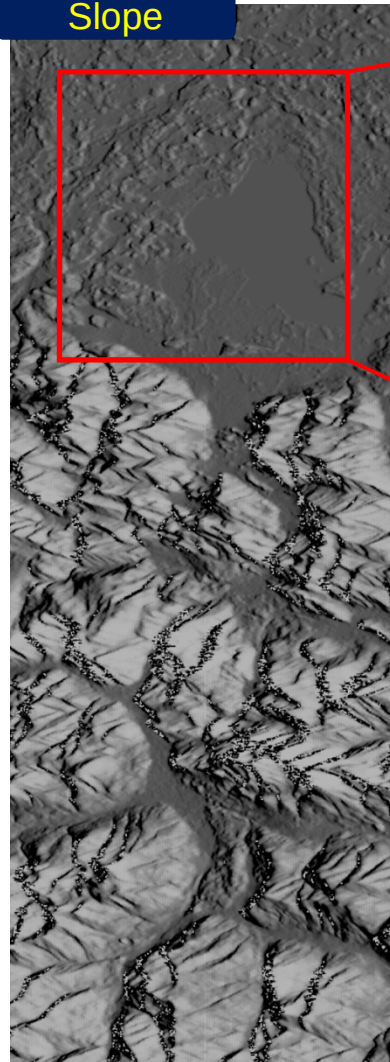
# DEM in slant range geometry

SRTM DEM  
SAR geometry



RSL

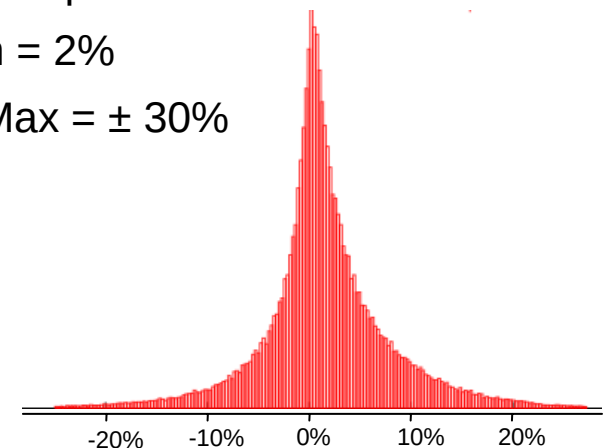
Slope



→ Terrain slope

Mean = 2%

Min/Max =  $\pm 30\%$

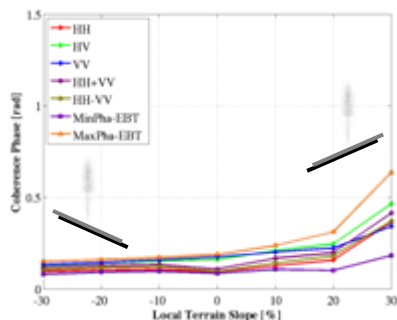




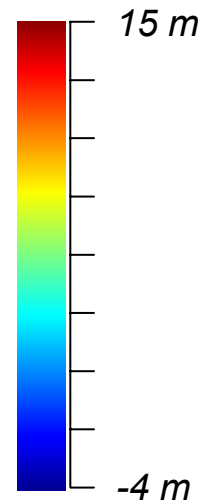
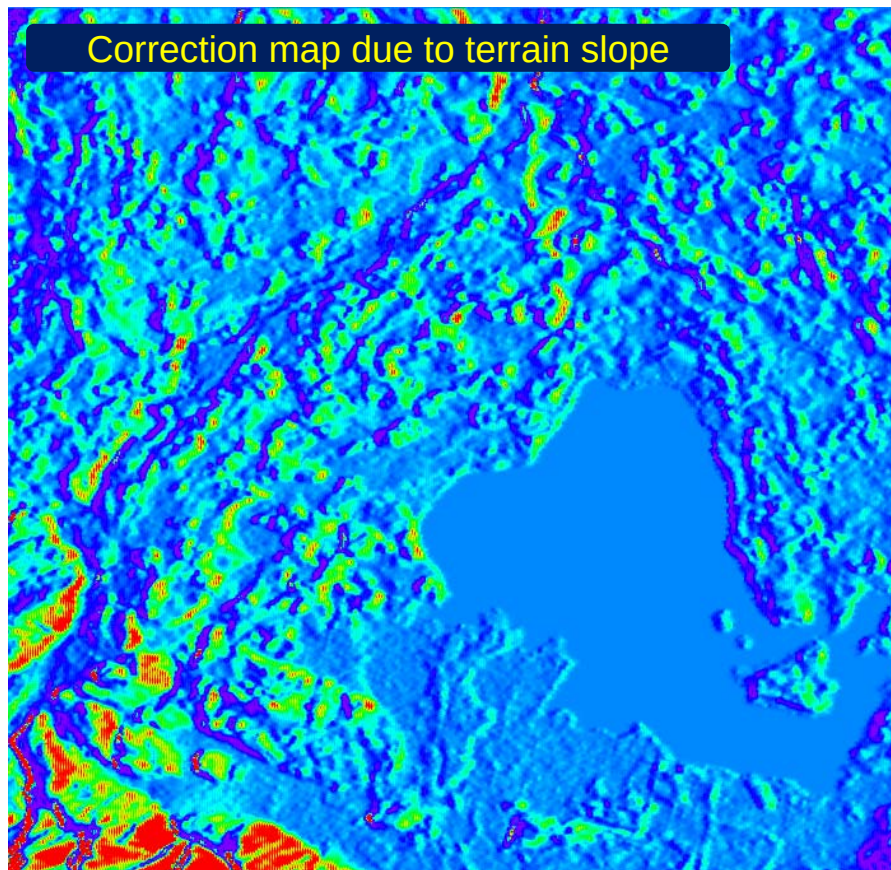
# Height correction

## Effect of the terrain slope

- Not linear dependence of optimized coherence on terrain slope (from EM model analysis)



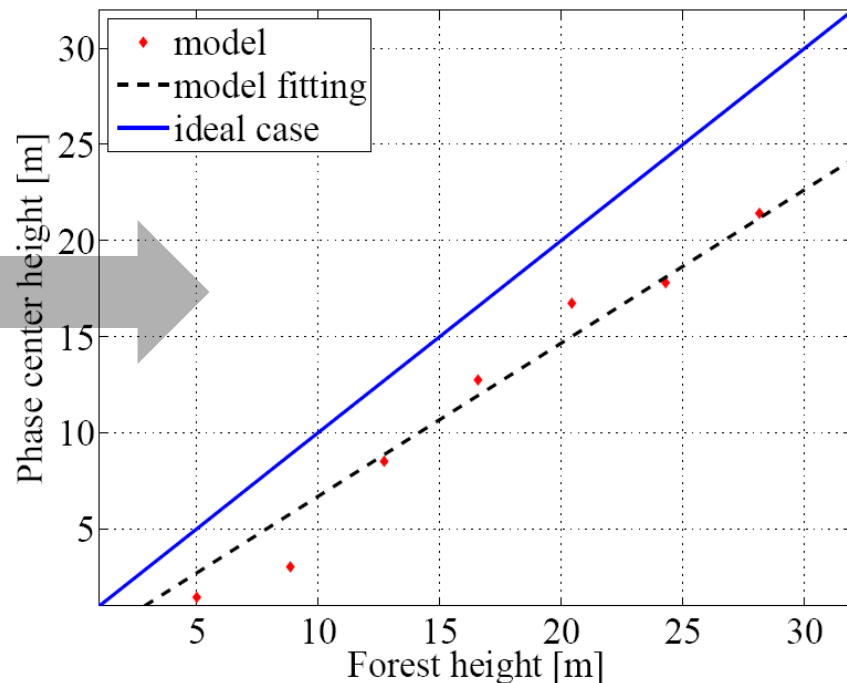
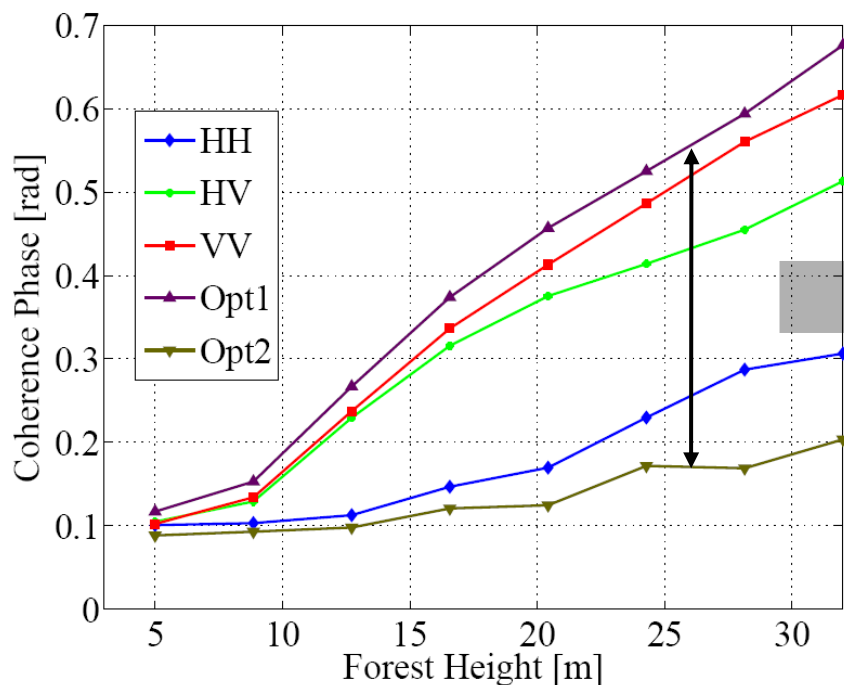
$$h_v = \frac{(\phi_v - \phi_{slope}) - \phi_g}{k_z}$$



# Height correction

## Effect of the volume penetration

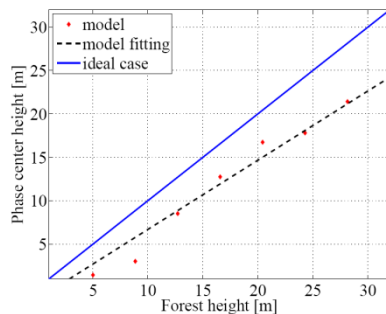
→ Dependence of optimized coherence on vegetation height



# Phase center height map

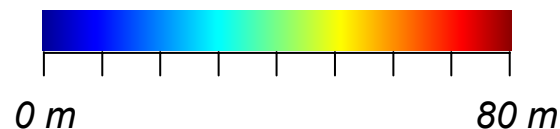
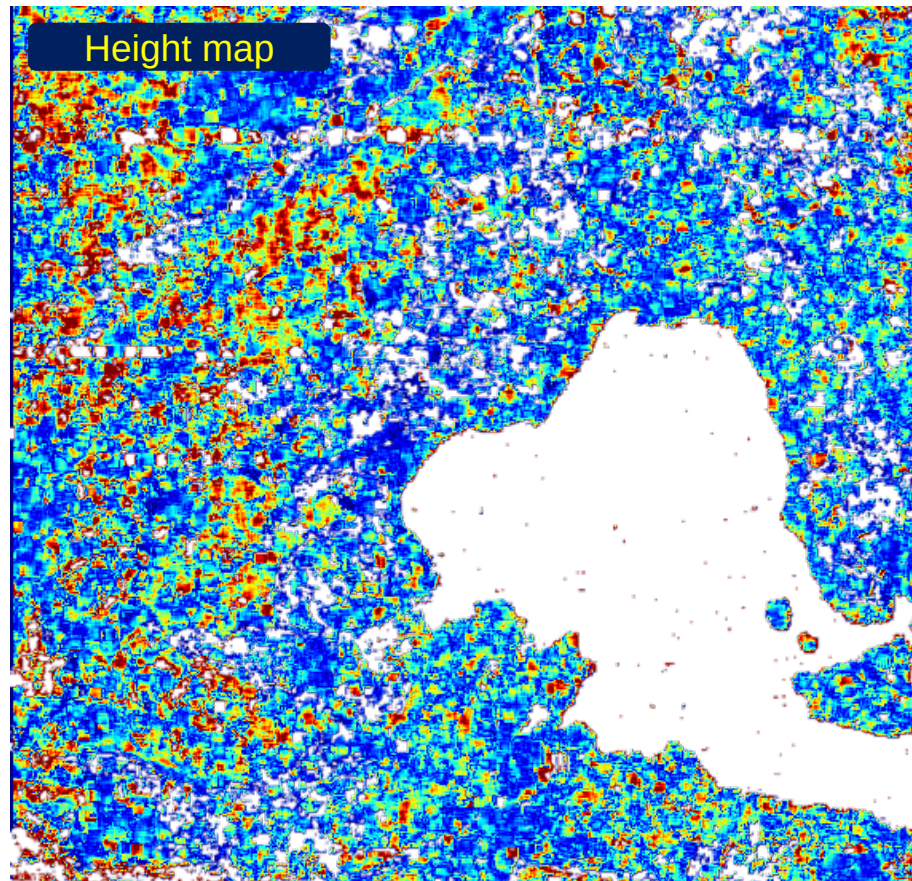
## Estimation of forest height

→ Dependence of coherence on terrain slope (from EM model)



$$\phi_{penetr} \quad \alpha = \frac{k_z}{k_z^{eq}}$$

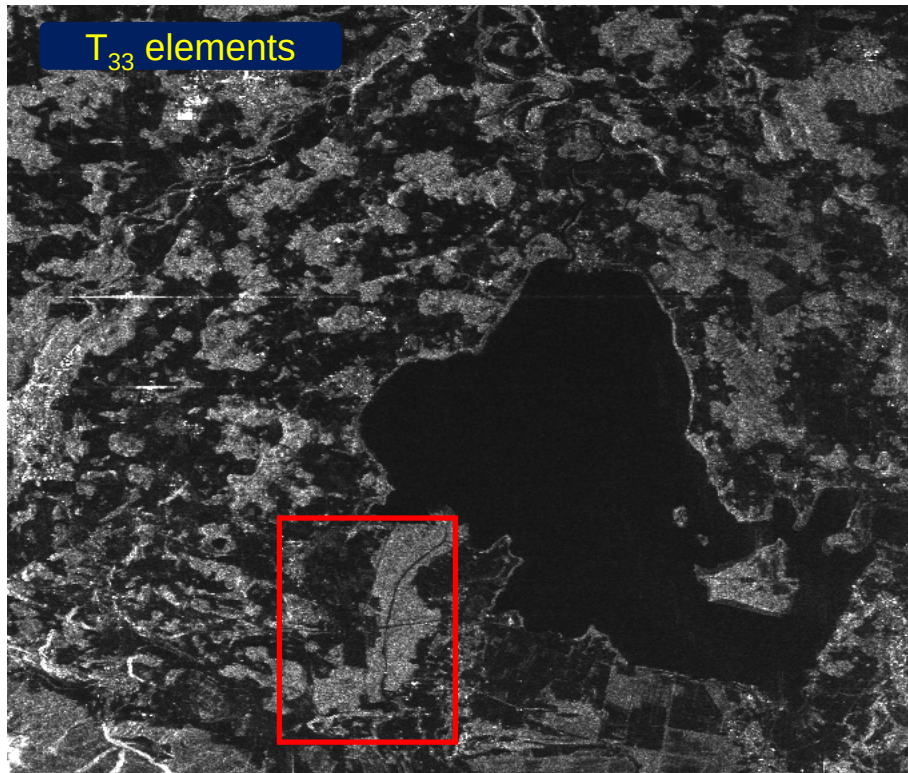
$$h_v = \frac{(\phi_v - \phi_{slope} - \phi_{penetr}) - \phi_g}{k_z} \alpha$$



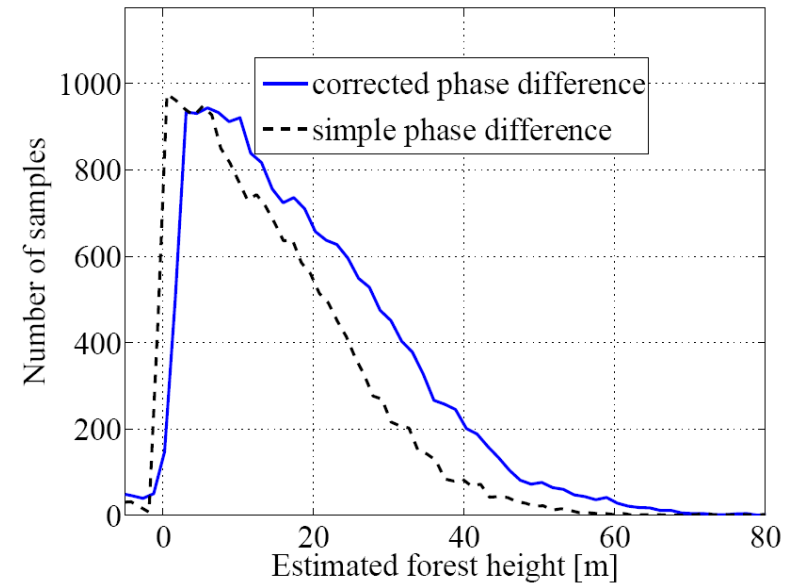


# Phase center height map

Estimation of forest height



→ Amount of height correction depends on the local terrain slope and forest height



# Proposed approach VS RVoG

Preliminary forest parameters inversion

■ Pro  
■ Con

## PolSARProSIM approach

Slow in computing the model output

The inversion must be accurately defined (polarization or frequency diversity)

Model inputs includes many scene parameters

Inversion uses the slope information from external DEM

Require the generation of LUT that depends on the acquisition geometry

## RVoG inversion

Fast implementation and computational time

Inversion procedure is well defined

Model inputs are trees height, ground-to-volume ratio, canopy extinction

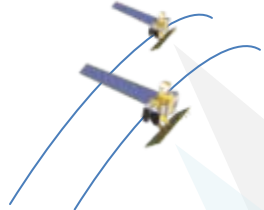
Fitting of the line can fail for small baseline dataset

Fully automatic



# Conclusions & Future works

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## → Forest parameters retrieval approach

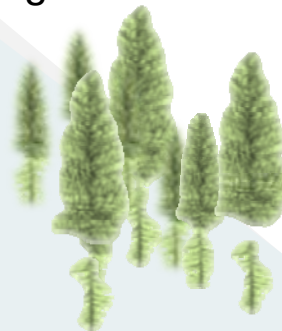
- Uses a PolInSAR coherent EM model (PolSARProSIM)
- Optimum interferograms are based on the maximization of the magnitude difference among coherence values
- Preliminary inversion based on compensation of terrain slope effects and volume wave penetration

## → Application to PALSAR data

- Temporal decorrelation is the main limitation of PolInSAR technique
- Preliminary inversion has promising results

## → Future challenges

- Development of a full inversion procedure including other scene parameters
- Integration of SAR/PolSAR information



# Proposed approach

## PollnSAR optimum coherence

- Coherence region in the complex plane calculated through the *field of values*  $F$  of the normalized coherency matrix  $T_{11}^{-1/2} \Omega_{12} T_{22}^{-1/2}$
- Different Optimisation algorithms (SVD, numerical radius, **phase diversity**, etc.)
  - Iteration for the maximization of magnitude difference

$$\max_{\gamma_i, \gamma_j \in F} |\tilde{\gamma}_i - \tilde{\gamma}_j| \longrightarrow \phi_{opt_1} = \tilde{\gamma}_{i^*}, \quad \phi_{opt_2} = \tilde{\gamma}_{j^*}$$

- Example of coherence boundary

